SIAM Conference on Computational Science and Engineering

MS78:

Teaching Computational Thinking and Practice

Prof. Lorena A. Barba

Mechanical and Aerospace Engineering The George Washington University

Twitter: @LorenaABarba



"computational thinking"

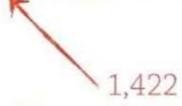
Scholar

About 7,060 results (0.08 sec)

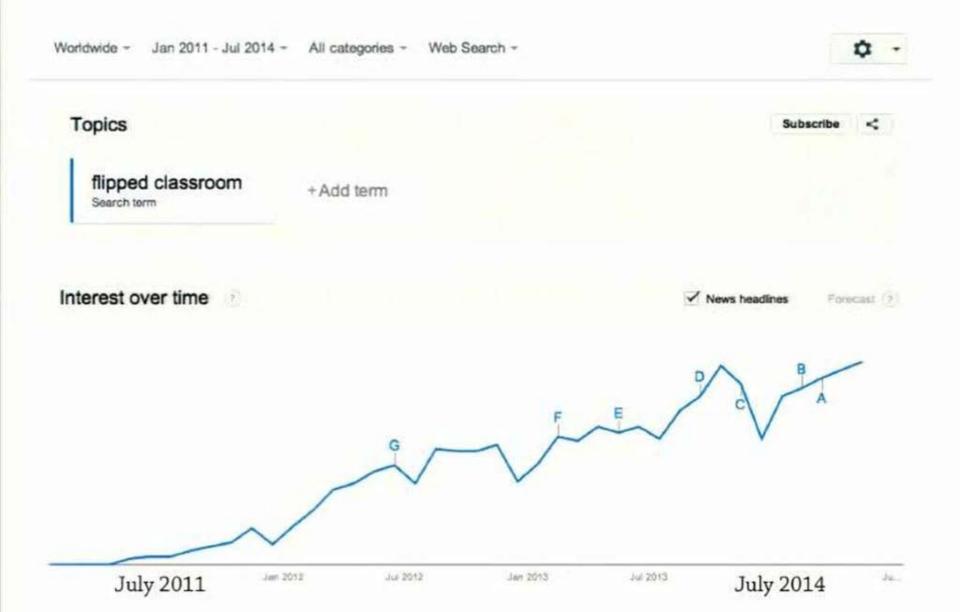
[PDF] Computational thinking

JM Wing - Communications of the ACM, 2006 - www-cgi.cs.cmu.edu

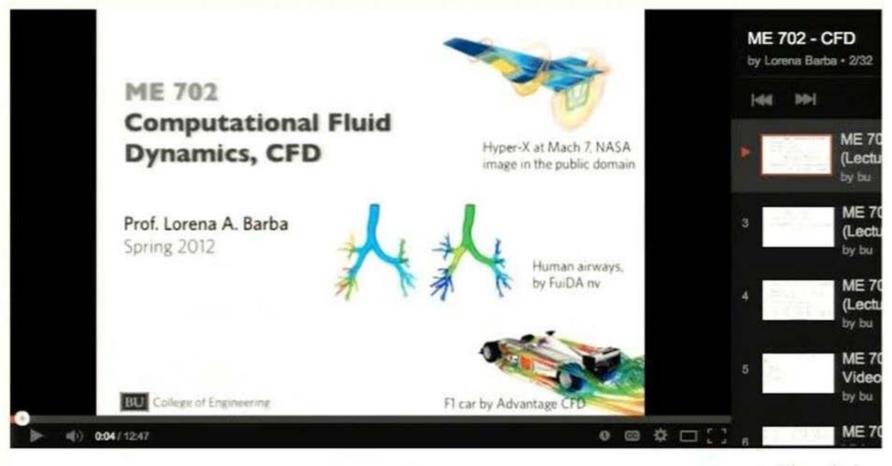
CT is interpreting code as data and data as code.
 CT is using abstraction and decomposition in tackling a large complex task.
 CT is judging a system's design for its simplicity and elegance.
 CT is type checking, as a generalization of dimensional analysis.
 Cited by 1422 Related articles All 120 versions Import into BibTeX Save More



Flipped classroom — on Google Trends







ME 702 - Computational Fluid Dynamics (Lecture "zero", par...

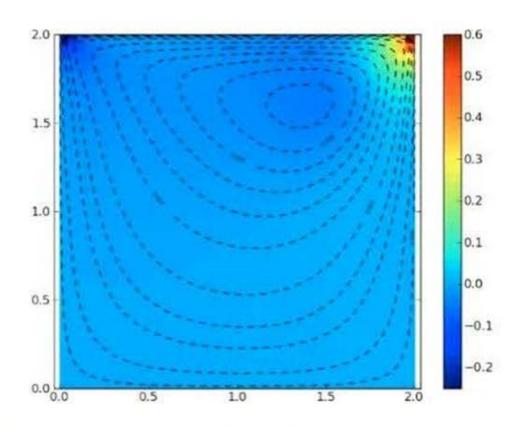
36,741



Lorena A. Barba group



CFD Python



Cavity flow solution at Reynolds number of 200 with a 41x41 mesh.

Lessons

- Quick Python Intro
- Step 1
- · Step 2
- CFL Condition
- Step 3
- · Step 4
- · Array Operations with NumPy
- Step 5
- Step 6
- Step 7
- Step 8
- · Defining Function in Python
- · Step 9
- Step 10
- · Optimizing Loops with Numba.
- Step 11
- Step 12

Posted on 07.22.2013

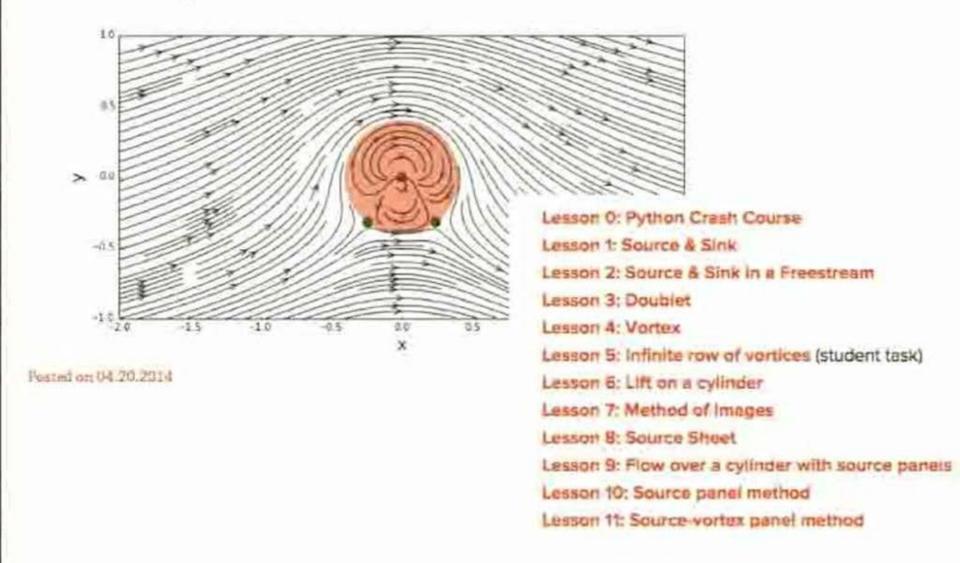
Why Python?

Language choice for beginners

Mannila & de Raadt (2006): criteria for a teaching language

- it was designed with teaching in mind (simple syntax, natural semantics)
- it can be used to apply physical analogies (provides multi-media capabilities)
- it offers a general framework
 (serving as a basis for learning other languages later)
- it promotes a new approach for teaching (augmented by principles, tools and libraries)

Announcing AeroPython!



http://lorenabarba.com/blog/announcing-aeropython/

Text provided under a Creative Commons Attribution license, CC-BY. Code under MIT license. (c)2014 Lorena A. Barba, Olivier Mesnard. Thanks: NSF for support via CAREER award #1149784.

@Lorena ABarba

Version 0.2 - February 2014

Lift on a cylinder

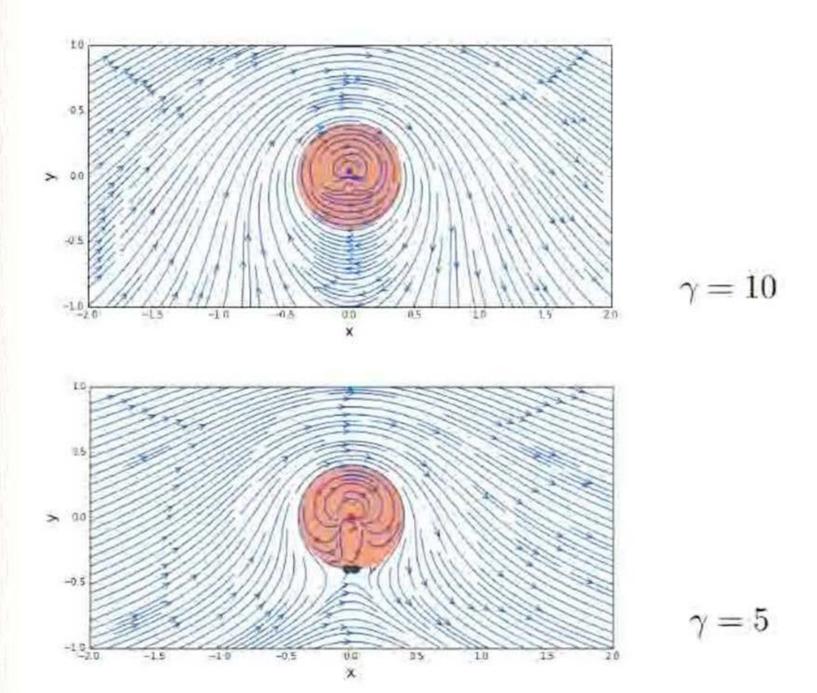
Remember when we computed uniform flow past a <u>doublet</u>? The stream-line pattern produced flow around a cylinder. When studying the pressure coefficient, we realized that the drag on the cylinder was exactly zero, leading to the D'Alembert paradox.

What about lift? Is it possible for a perfectly circular cylinder to experience lift? What if the cylinder is rotating? Have you heard about the Magnus effect?

You might be surprised to learn that all we need to do is add a <u>vortex</u> in the center of the cylinder. Let's see how that looks.

First, we recall the equations for the flow of a doublet. In Cartesian coordinates, a doublet located at the origin has a stream function and velocity components given by

$$\psi(x,y) = -\frac{\kappa}{2\pi} \frac{y}{x^2 + y^2}$$

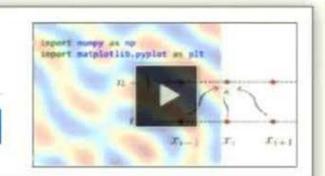




Practical Numerical Methods with Python Engineering

YOU ARE REGISTERED FOR THIS COURSE

VIEW COURSEWARE



VIEW ABOUT PAGE IN STUDIO

DVELLIEM

WHY TAKE THIS COURSE?

Even if this is the only numerical methods course you ever take, dedicating yourself to mastering all modules will give you a foundation from which you can build a career in scientific computing.

ABOUT THIS COURSE

This course is a collaboration between faculty at three institutions across the world: the George Washington University (Washington, DC, USA); University of Southampton (UK) and Pontifical Catholic University of Chile (Santiago, Chile).* A credit-bearing course will run at each institution at the same time as this MOOC, and students at all locations will participate in the same learning community with MOOC participants.



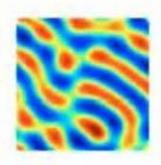


MAE6286

Classes Start

Aug 18, 2014





numerical-mooc •

http://openedx.seas.gwu.edu/courses/GW/MAE6286/2014_fall/about

Filters *

Q. Find a repository...

+ New repository

numerical-mooc

Python # 97 1 552

A collaborative educational initiative in computational science and engineering.

Updated a day ago

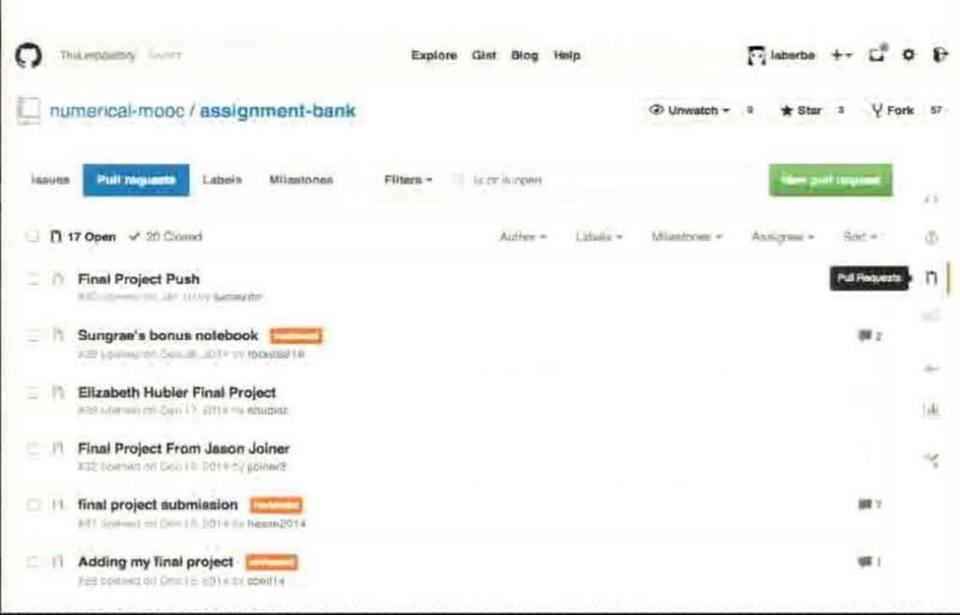
assignment-bank

Python # 3 \$ 57

Contribute alternative assignments for Numerical Methods with Python

Updated on Jan 20

Assignments by pull-request on GitHub



Module 1: The phugoid model.

- Phugoid motion
- 2. Phugoid oscillation
- 3. Full phugoid model
- 4. Bonus! Second-order and multi-step methods

Module 2: Space and Time

Introduction to finite-difference solutions of PDEs

- 1. 1D linear and nonlinear convection
- 2. CFL condition
- 3. Diffusion equation in 1D
- 4. Burgers' equation

Module 3: Riding the wave

Convection problems

- 1. Conservation laws and the traffic-flow problem
- 2. Numerical schemes for hyperbolic PDEs
- 3. A better flux model
- 4. Finite volume and MUSCL methods.
- 5. Assignment: Sod's test problems

Module 4: Spreading out

Diffusion problems

- 1. Diffusion equation in 1D and boundary conditions
- Implicit schemes in 1D and boundary conditions
- 2D heat (diffusion) equation with explicit scheme
- 4. 2D heat equation with implicit scheme, and applying boundary conditions
- 5. Crank-Nicolson scheme and spatial & time convergence study
- 6. Assignment: Reaction-diffusion with the Gray-Scott model in 2D

Content under Creative Commons Attribution license CC-BY 4.0, code under MIT license (c)2014 L.A. Barba, G.F. Forsyth. Partly based on David Ketcheson's pendulum lesson, also under CC-BY.

Phugoid Oscillation

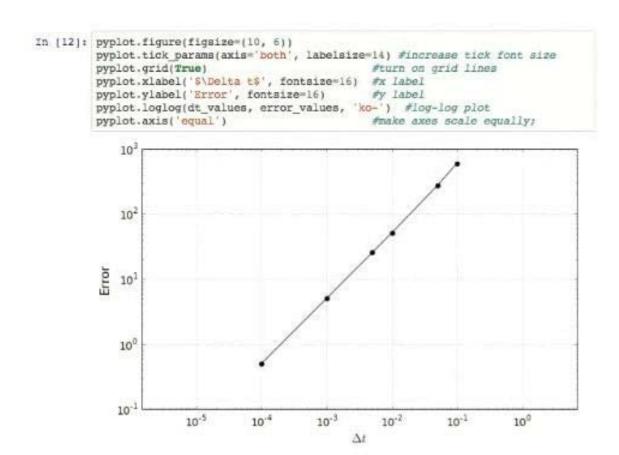
Welcome back! This is the second I Python Notebook of the series "The phugoid model of glider flight", the first learning module of the course "Practical Numerical Methods with Python."

...

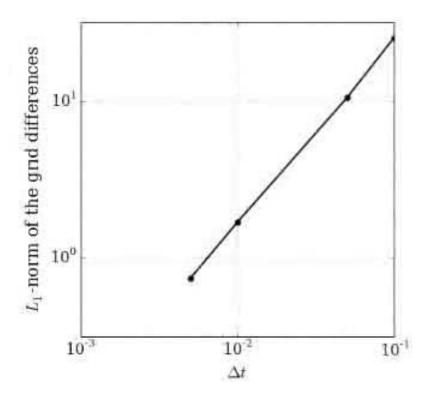
Convergence

To compare the two solutions, we need to use a **norm** of the difference, like the L_1 norm, for example.

$$E = \Delta t \sum_{n=0}^{N} |z(t_n) - z_n|$$



This is the kind of result we like to see! As Δt shrinks (towards the left), the error gets smaller and smaller, like it should.



Order of convergence

The order of convergence is the rate at which the numerical solution approaches the exact one as the mesh is refined. Considering that we're not comparing with an exact solution, we use 3 grid resolutions that are refined at a constant ratio r to find the observed order of convergence (p), which is given by:

$$p = \frac{\log \left(\frac{f_3 - f_2}{f_2 - f_1}\right)}{\log(r)} \tag{16}$$

where f_1 is the finest mesh solution, and f_3 the coarsest.