



Phase Coherence between Precipitation in South America and Rossby Waves

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Joint work with Niklas Boers and Jürgen Kurths

Based on M. Gelbrecht, N. Boers, J. Kurths: "Phase coherence between precipitation in South America and Rossby Waves", *Science Advances* Vol. 4, no. 12, eaau3191, DOI: 10.1126/sciadv.aau3191


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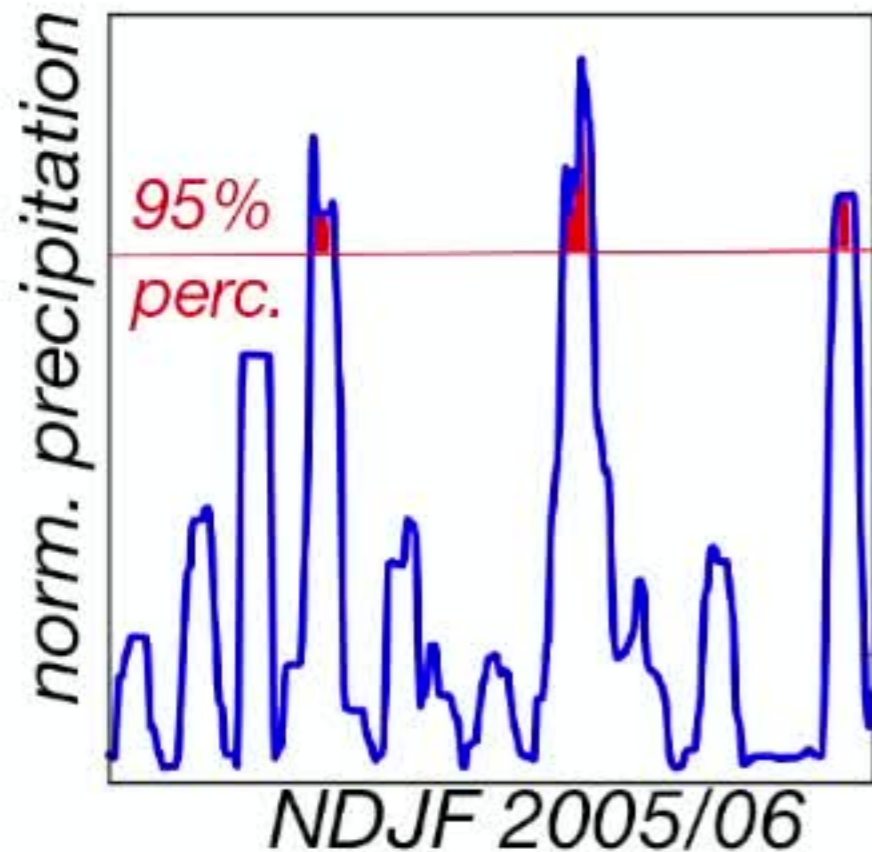
SAMS



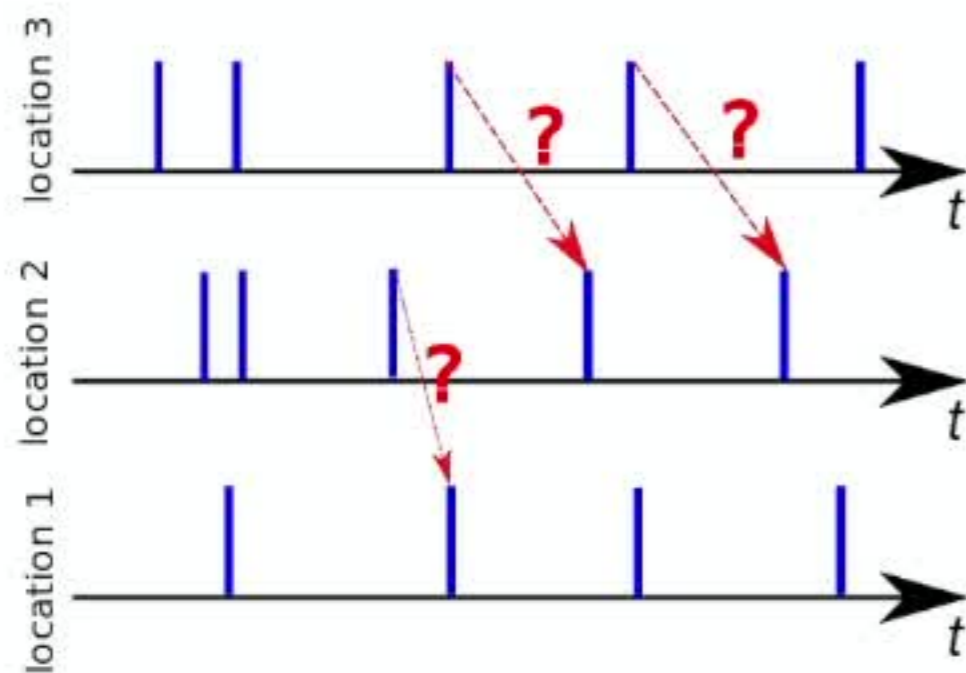
- **Climate Networks (CN)** excel in visualizing these moisture paths
- e.g. Boers, 2014 (Event Synchronization); Ciemer, 2018 (Precipitation Correlation Networks); Gelbrecht, 2017 (Wind Flow Networks)
- CNs can tell where to look further



Event Synchronization

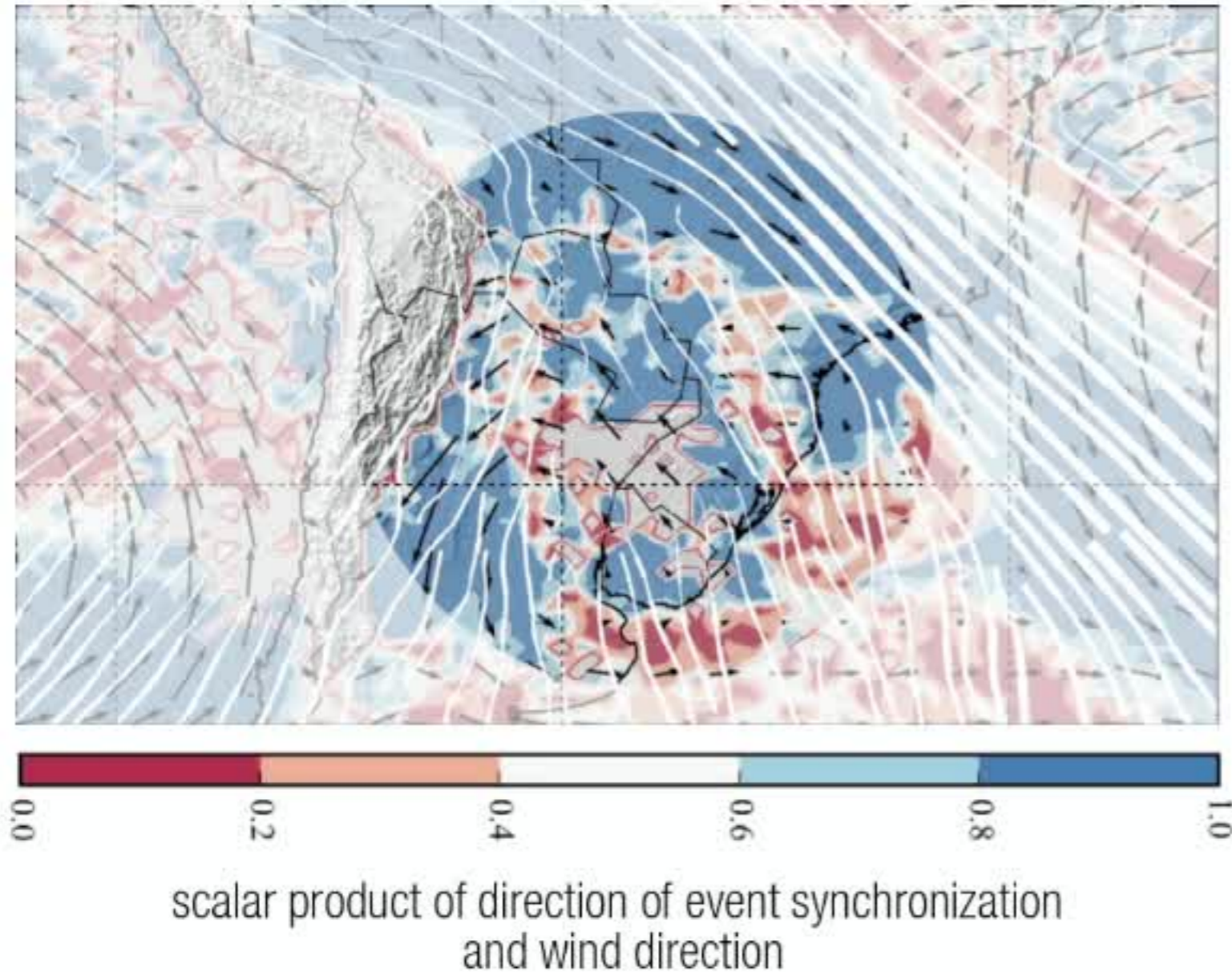


- Threshold precipitation time series to event time series
- Spatiotemporal data → Event Synchronization (ES)
- ES References: Quiroga et. al. 2002,
 - for Climate: Malik et al. 2010, Boers et al 2014, many more



Climate Networks

Figure from Boers et al. 2014, Geophysical Research Letters

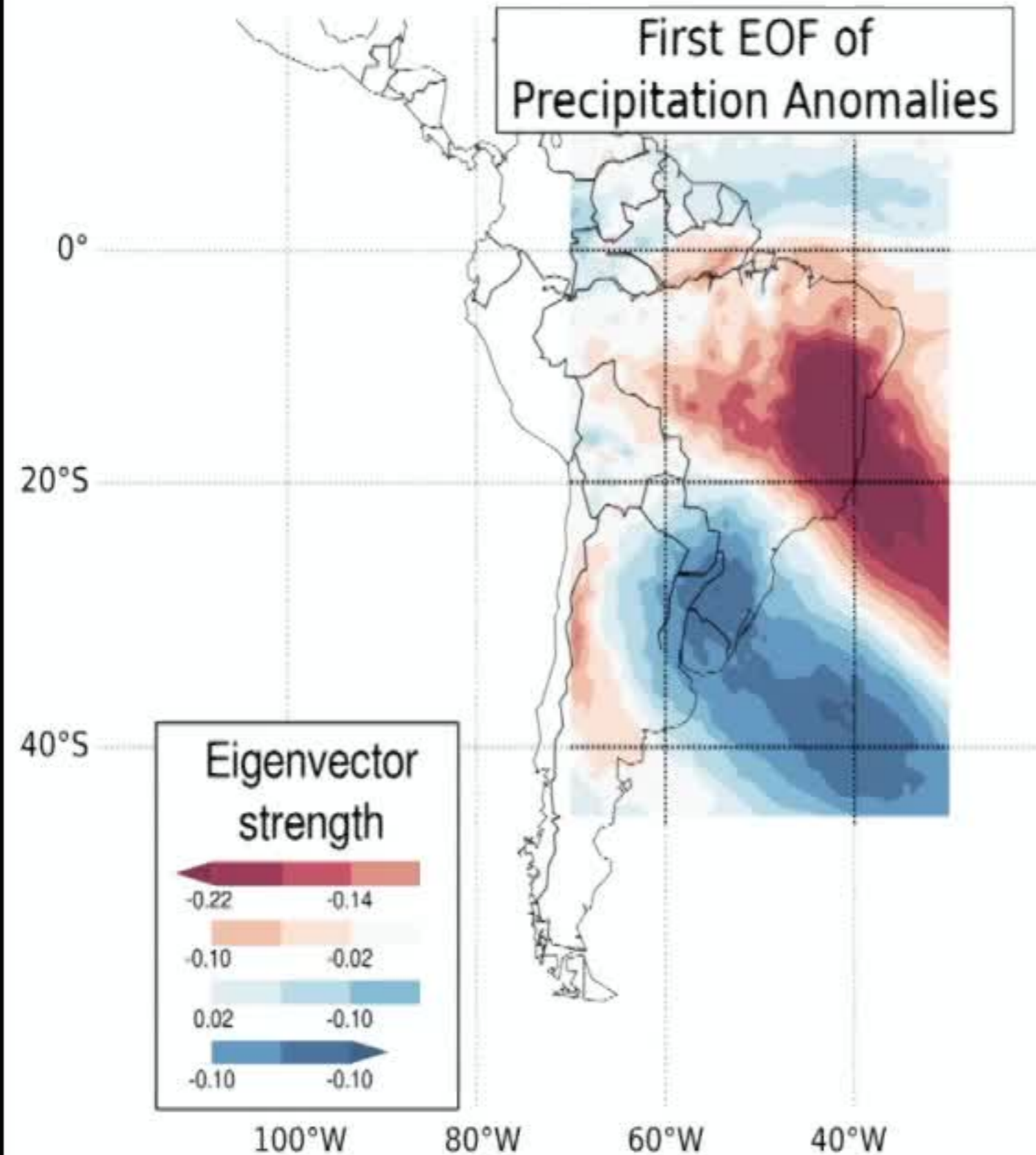


- Boers et al. 2014 found extreme events that propagate against the direction of the wind
- How can we understand this?
- Frontal systems propagating from the south possibly play a role



Precipitation

First EOF of
Precipitation Anomalies

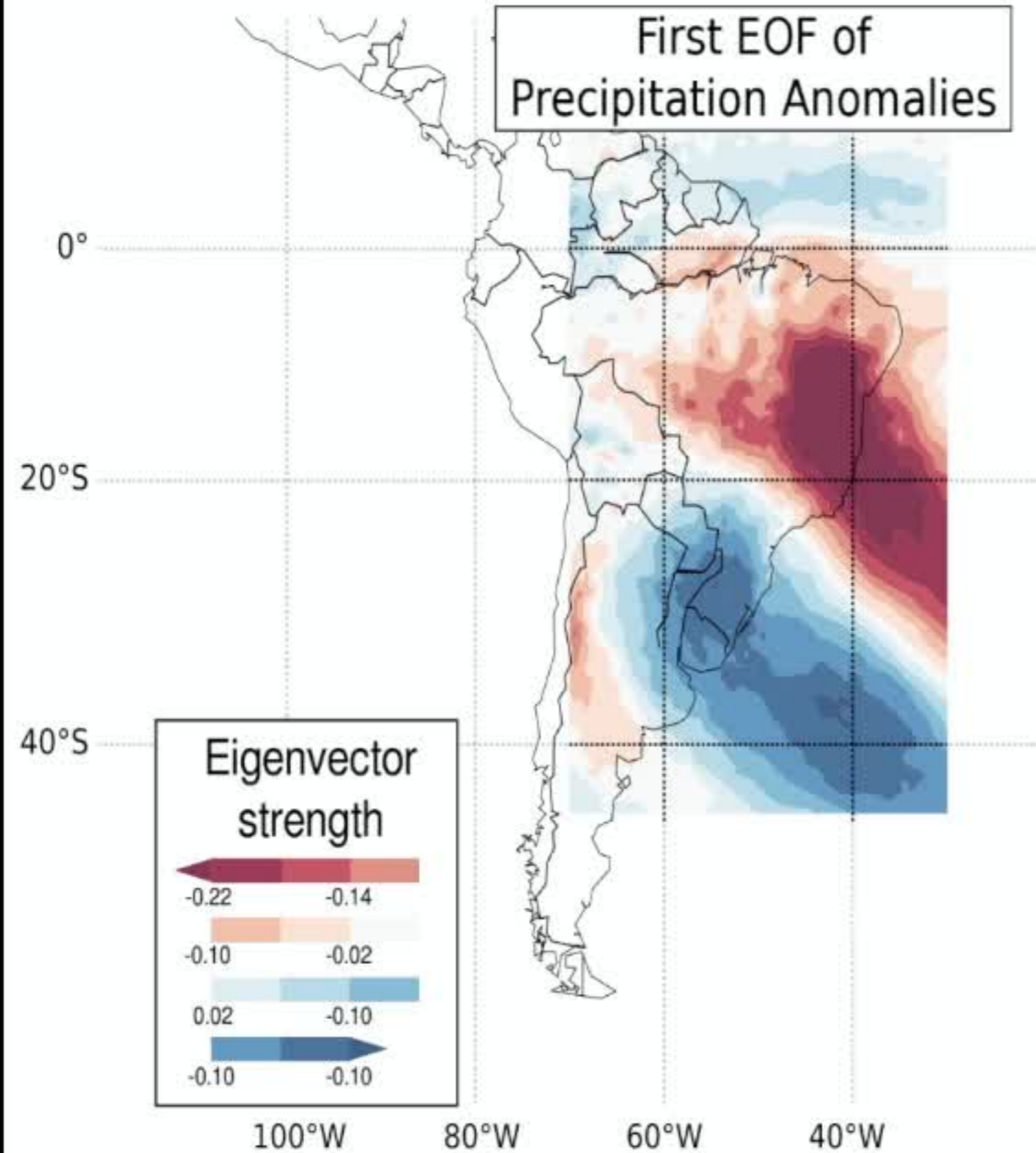


- Precipitation Regimes possibly connected with the **Rossby waves**, the meandering upper-level atmosphere Jet Stream
- Classic method to analyze spatial variability patterns: **Principal Component Analysis (PCA)** of the Covariance Matrix that yield **Empirical Orthogonal Functions (EOFs)**
- Precipitation Dipole



Precipitation

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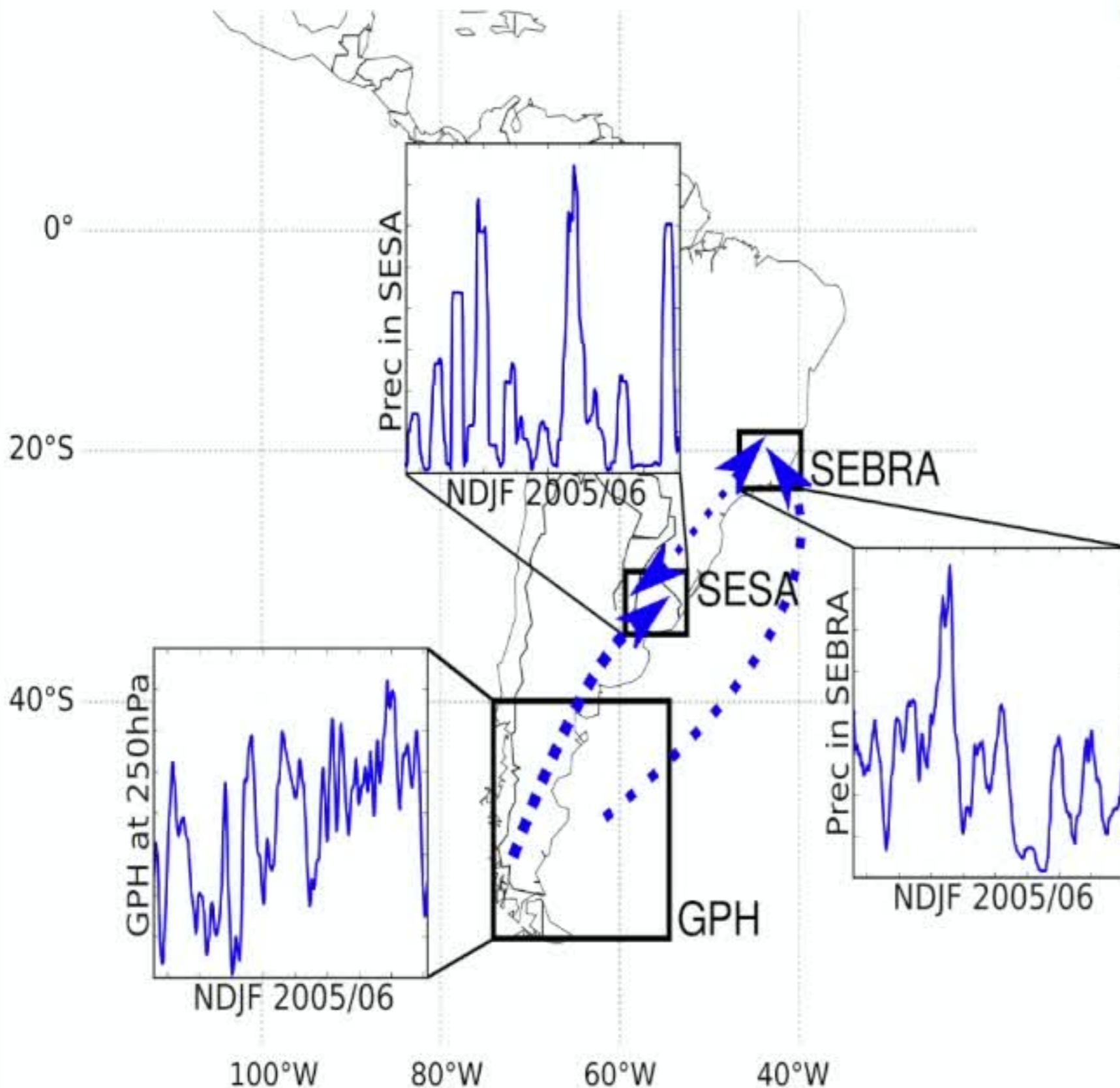


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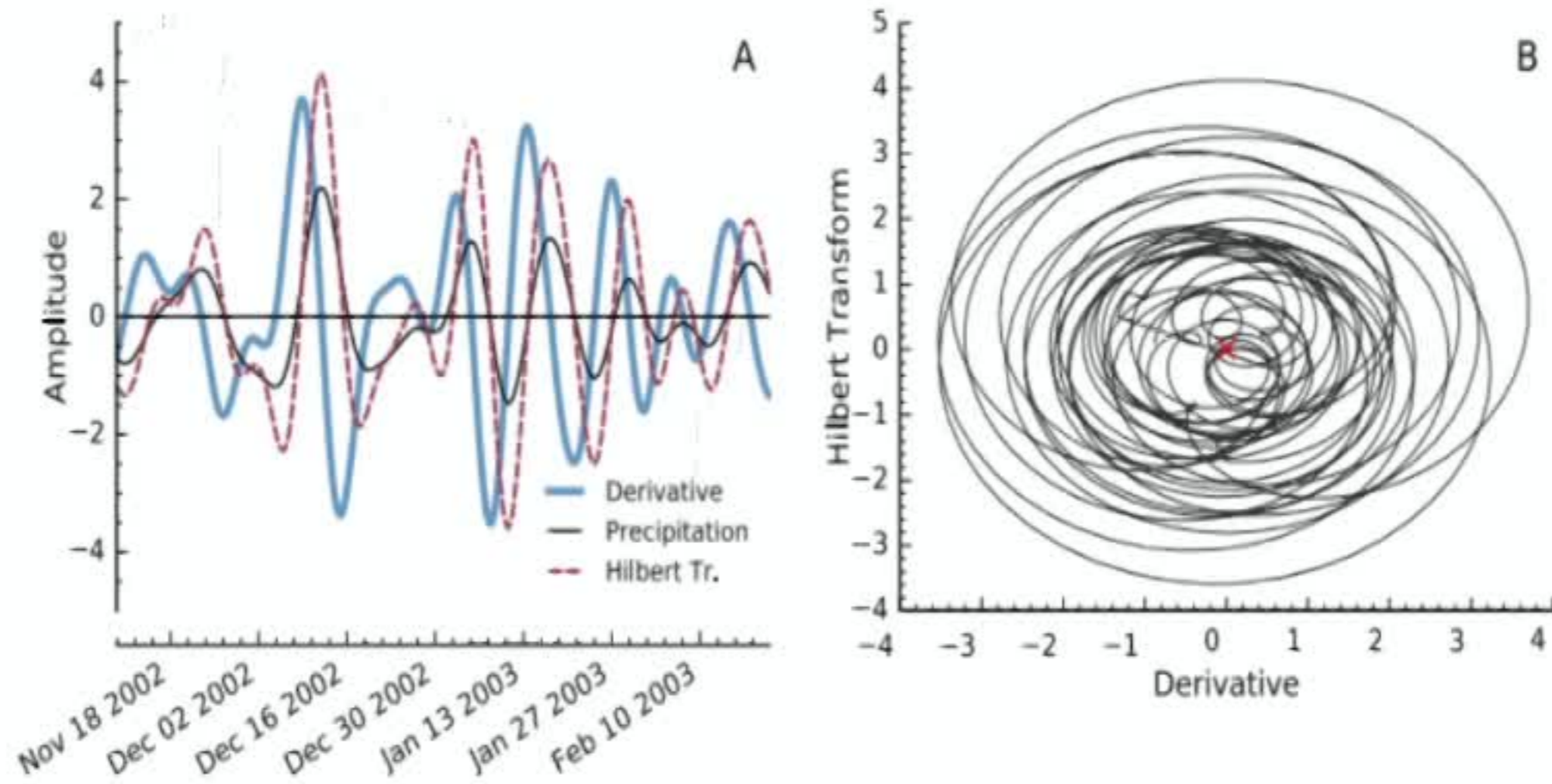


Methods

- Investigate coupling / link between SESA, SEBRA and GPH
- First: **Data-driven phase analysis**
- Investigate Oscillations → show phase coherence
- Second: **Conceptual Model**



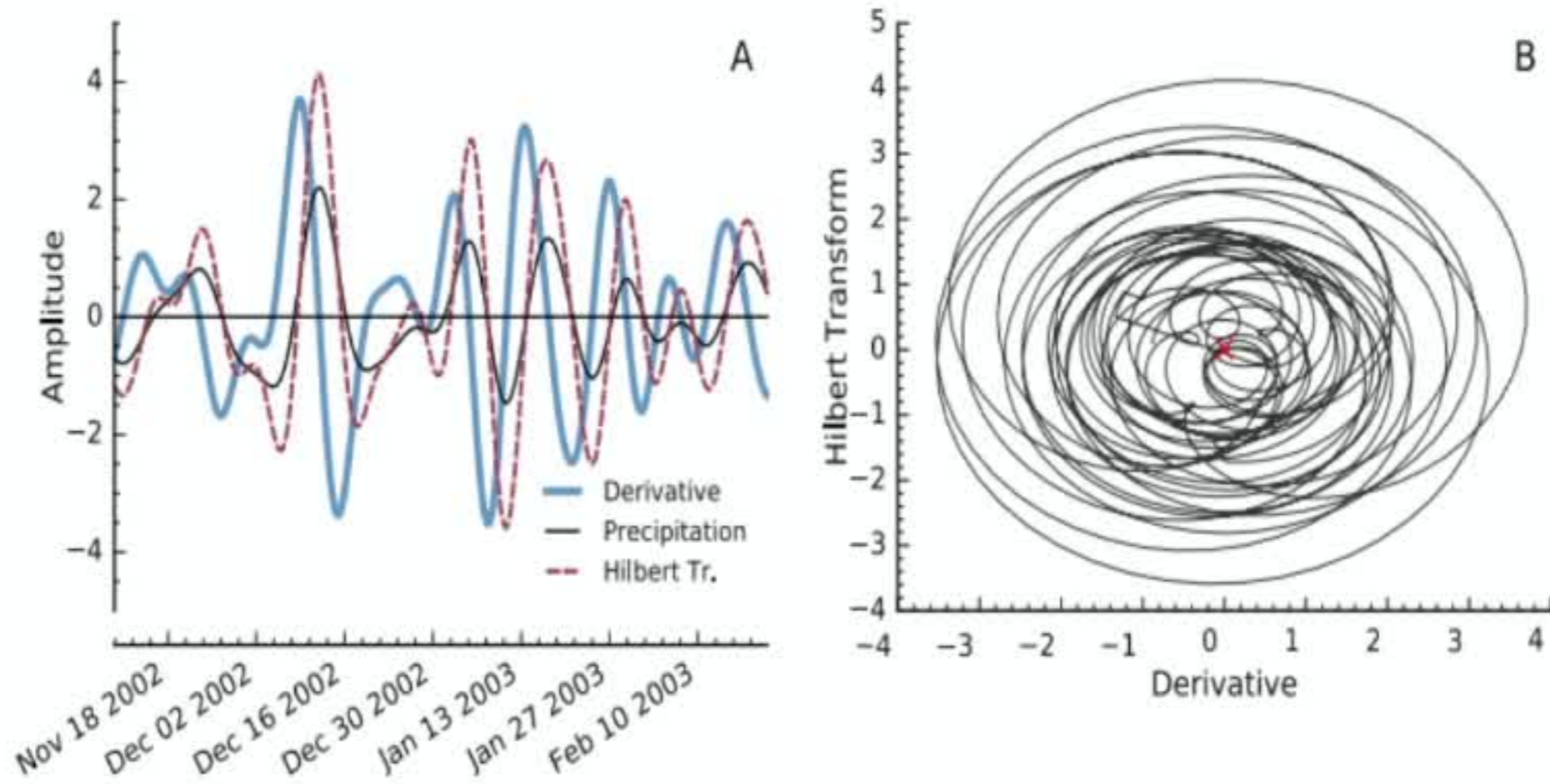
Phase Analysis



- Embed time series via a Hilbert transform, use derivative (Osipov et al 2003, PRL)
- Endpoint matching for seasonal data
- Phase computed via $\phi(t) = \arctan \frac{\mathcal{H}\{\dot{x}\}(t)}{\dot{x}(t)}$ for all three time series



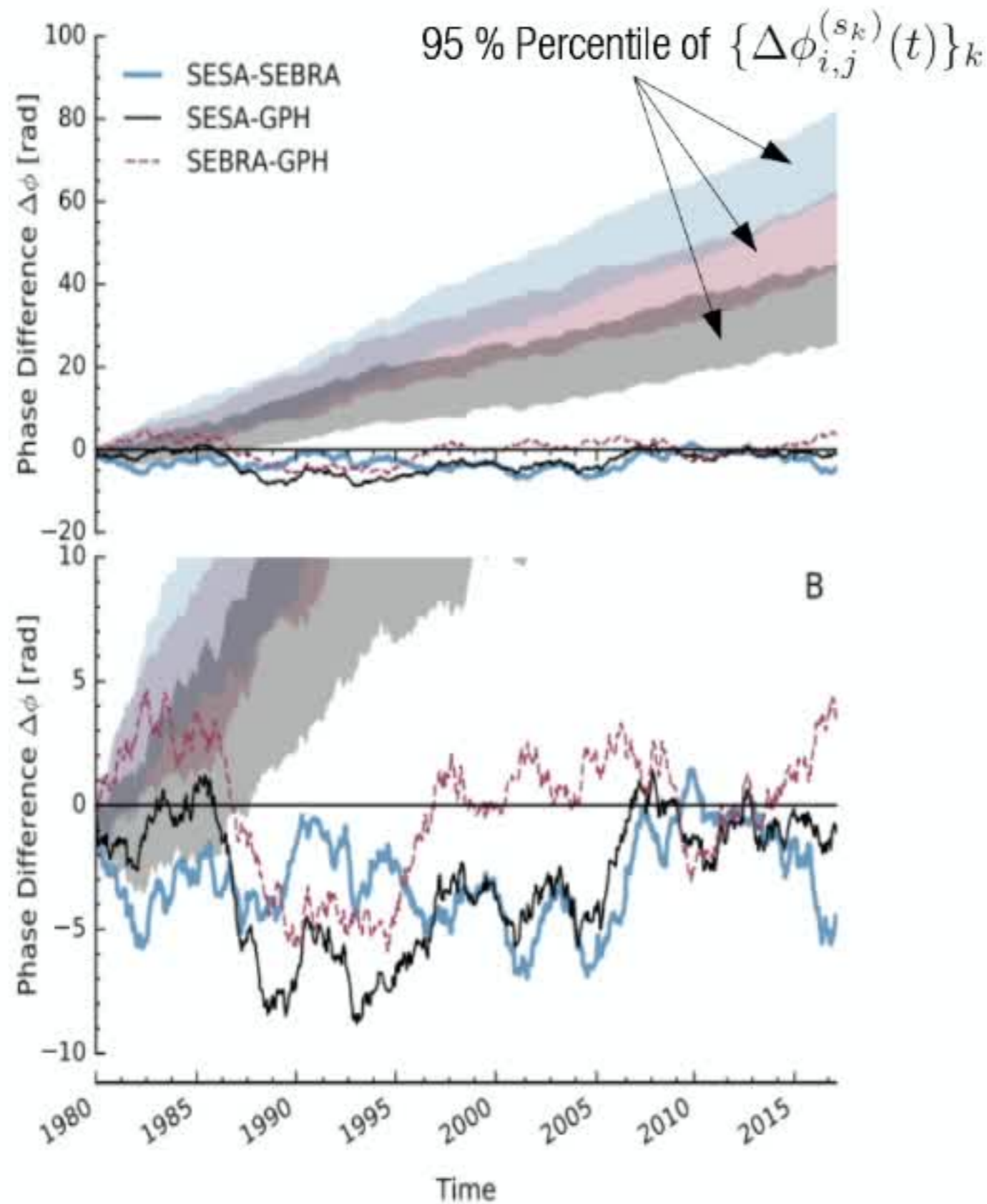
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Phase Differences



- Investigate phase differences between the three proxies

$$\Delta\phi_{i,j}(t) = \phi_i(t) - \phi_j(t)$$

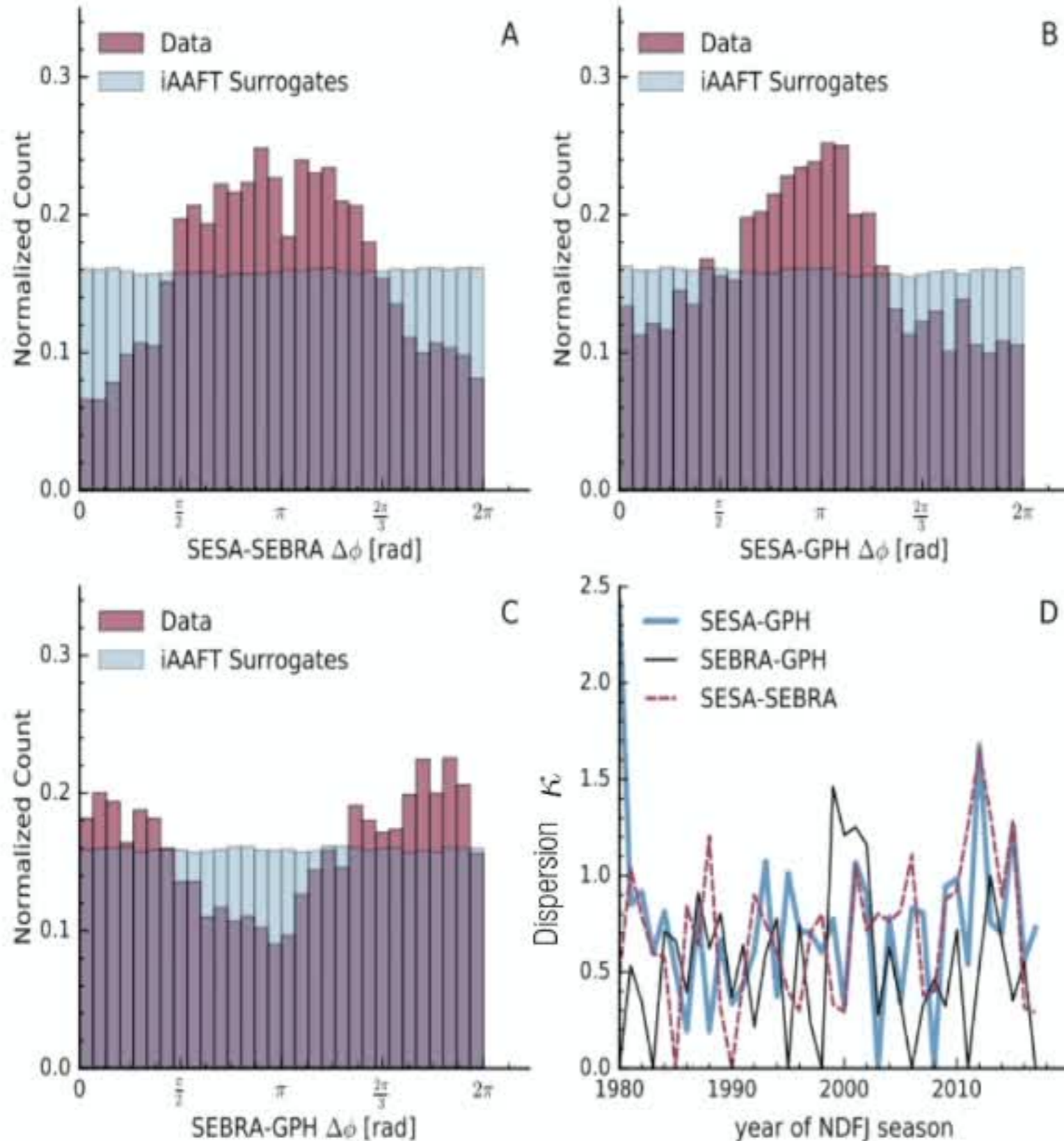
- AR2 surrogates s_k as comparison

$$\Delta\phi_{i,j}^{(s_k)}(t) = \frac{1}{2}((\phi_i(t) - \phi_j^{(s_k)}(t)) + (\phi_i^{(s_k)}(t) - \phi_j(t)))$$

- Phase difference between all three proxies remain close to zero, much smaller than surrogates



Phase Differences

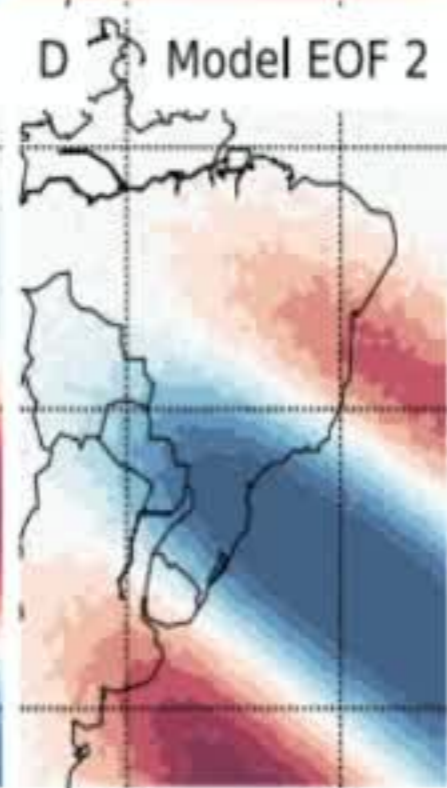
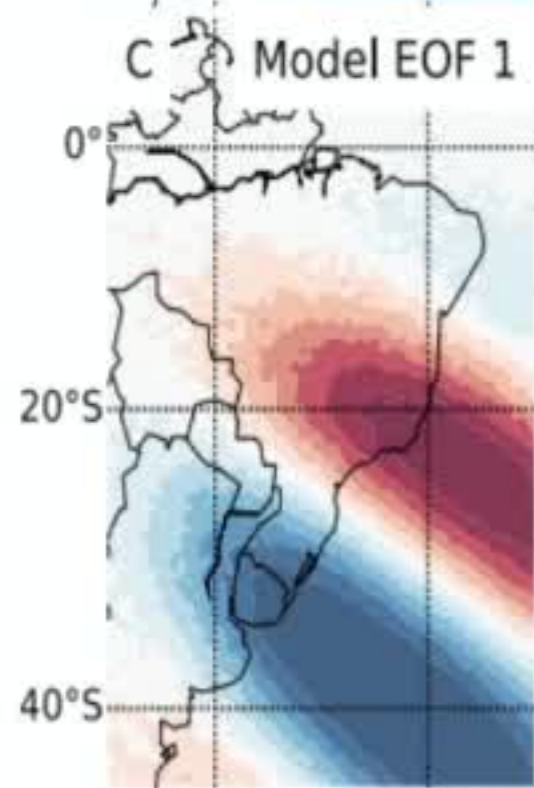
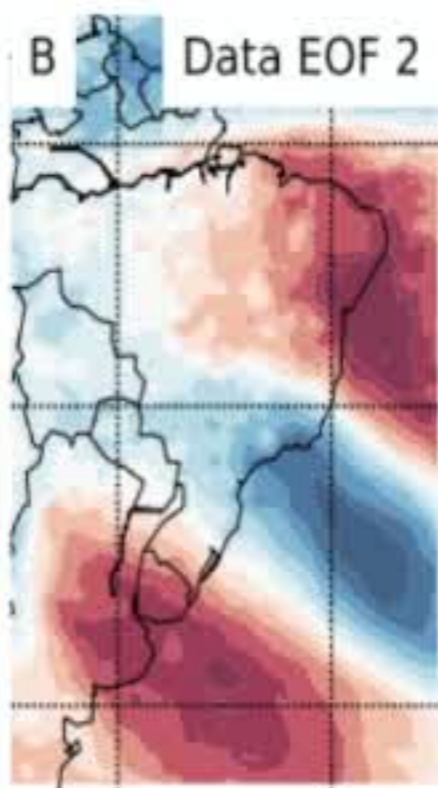
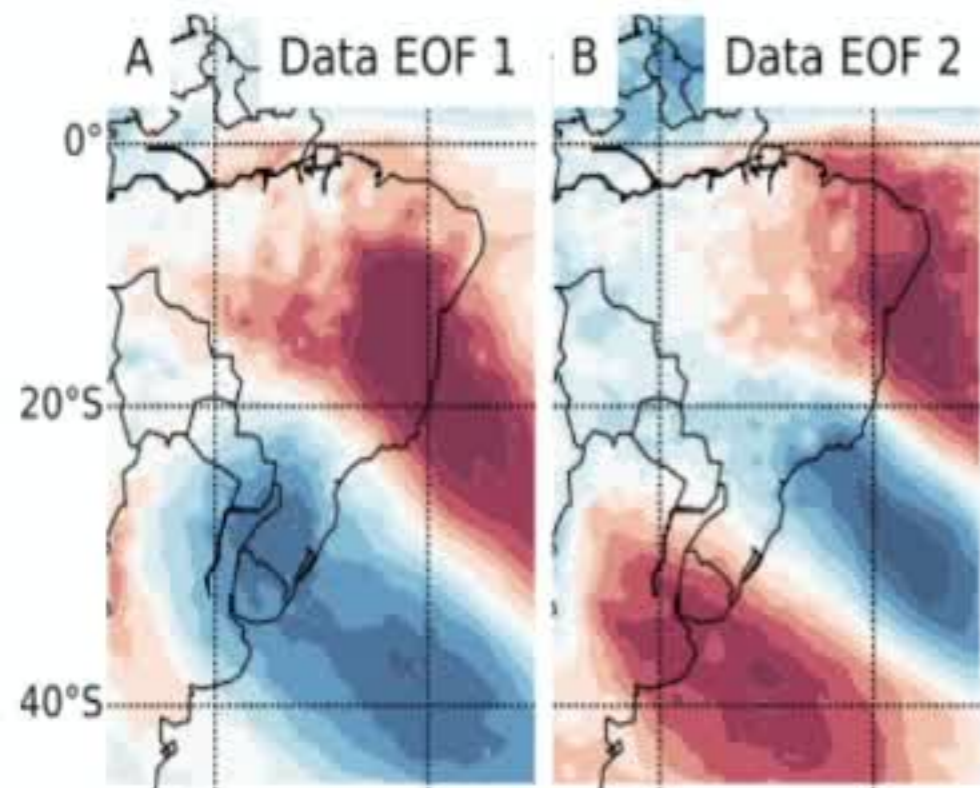


B

D

- Histograms of phase differences show distinctive peaks
- MLE fit to vonMises distribution
- Dispersion κ (width of the peaks) of the distribution an indicator of phase coherence
- Histograms and Phase Time Series show phase coherence
- Relate temporal evolution of dispersion back to extreme events?





-0.022 -0.014 -0.006 0 0.006 0.014 0.022
Eigenvector Strength Precipitation PCA

Conceptual Model

- Show how PCA/EOF pattern of precipitation data can result from a travelling wave
- **Ansatz:** free travelling wave
+ add gaussian damping along and perpendicular to propagation direction

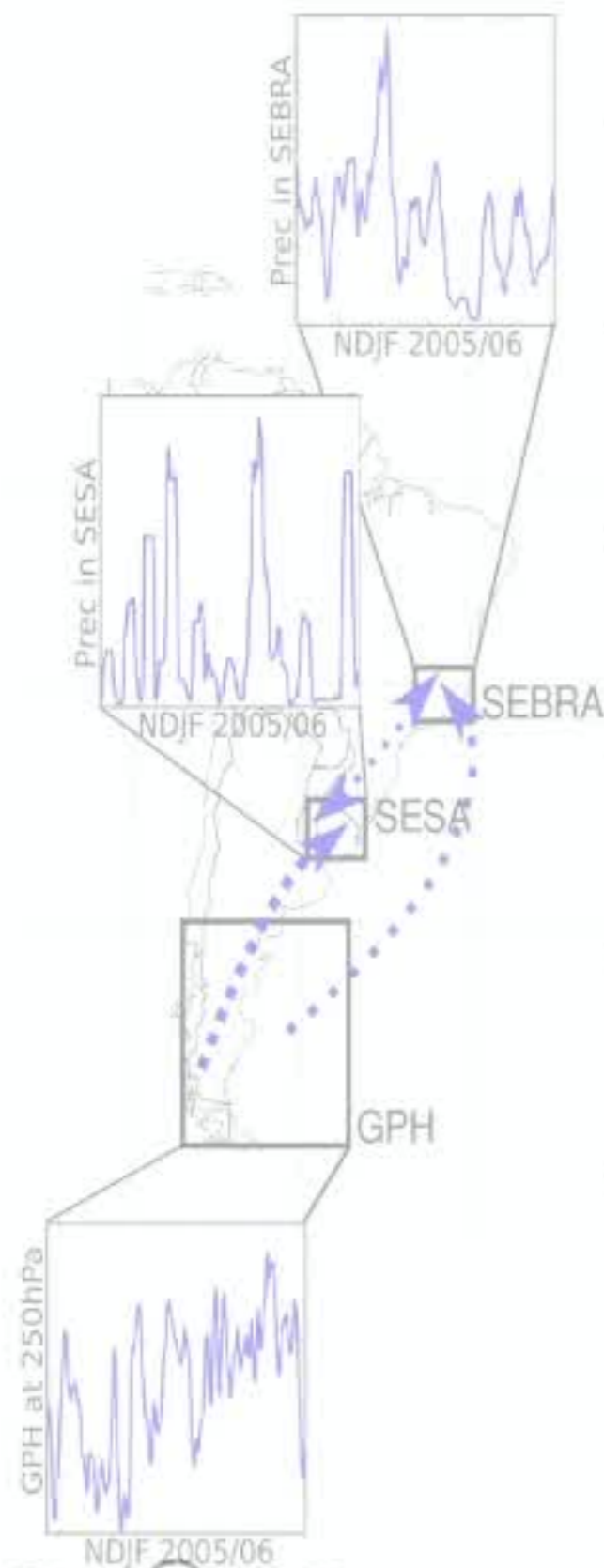
$$\square (h(x, t)) = 0$$

$$p(x, t) = \frac{\partial}{\partial x} h(x, t)$$

- LSE fit to data EOFs



Summary



- Data-driven analysis shows phase coherence: subsystems synchronize and are therefore coupled
- EOF pattern explainable by simple conceptual model based on a travelling wave
- “Backward” propagating extreme events explainable
- Alternating High/Low pressure systems determines outlet of the moisture pathway
- Dipole driven by Rossby Wave and not just by a direct interaction between SESA and SEBRA
- **Outlook**
 - study temporal evolution → relation to extreme events
 - investigate amplitude / monsoon onset
 - simple forecast model



Outlook: MCBB

- New project
- Numerical Method / Tool to analyze multistability and bifurcations in mid/high – dimensional complex systems
- Based on random sampling, suitable statistics and clustering methods
- Monte Carlo Basin Bifurcation Analysis (MCBB)
- To be released as a package for Julia programming language very soon
- Talk to me after the session for more information about it

