



Passive Photonic Integrated Circuit Metrology

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Photonic Integrated Circuits

Photonic Integrated Circuits (PICs) are entire photonic *systems* on a chip.

12 inch
(300
mm)

PIC chip (with many test systems)
2 - 8 mm

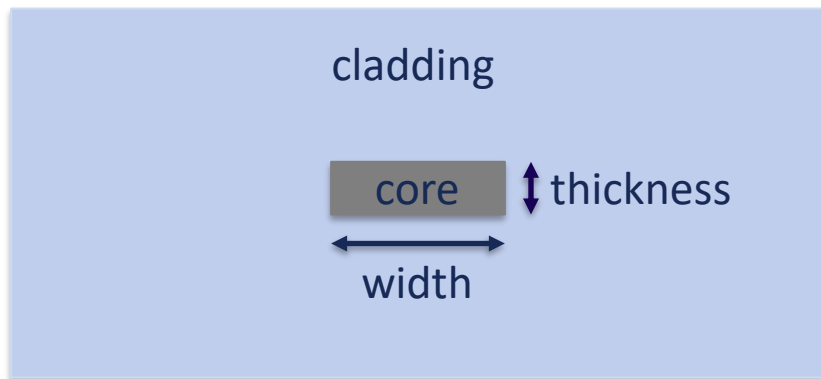
One component
20 - 200 μm

(human hair is $\sim 75 \mu\text{m}$)

One system
0.5 - 2 mm

The passive PIC design problem

A PIC design is only as good as the parameters used to simulate it



How can key PIC parameters be measured and tracked accurately and simply?

Core geometry

- Core thickness (t)
- Core width (or width bias = Δw)
- Sidewall roughness (σ^2, L_c)

Core index

- refractive index ($n_{\text{core-real}}$) vs. λ
- absorption ($\alpha_{\text{core}} = 4\pi n_{\text{core-imag}}/\lambda$) vs. λ

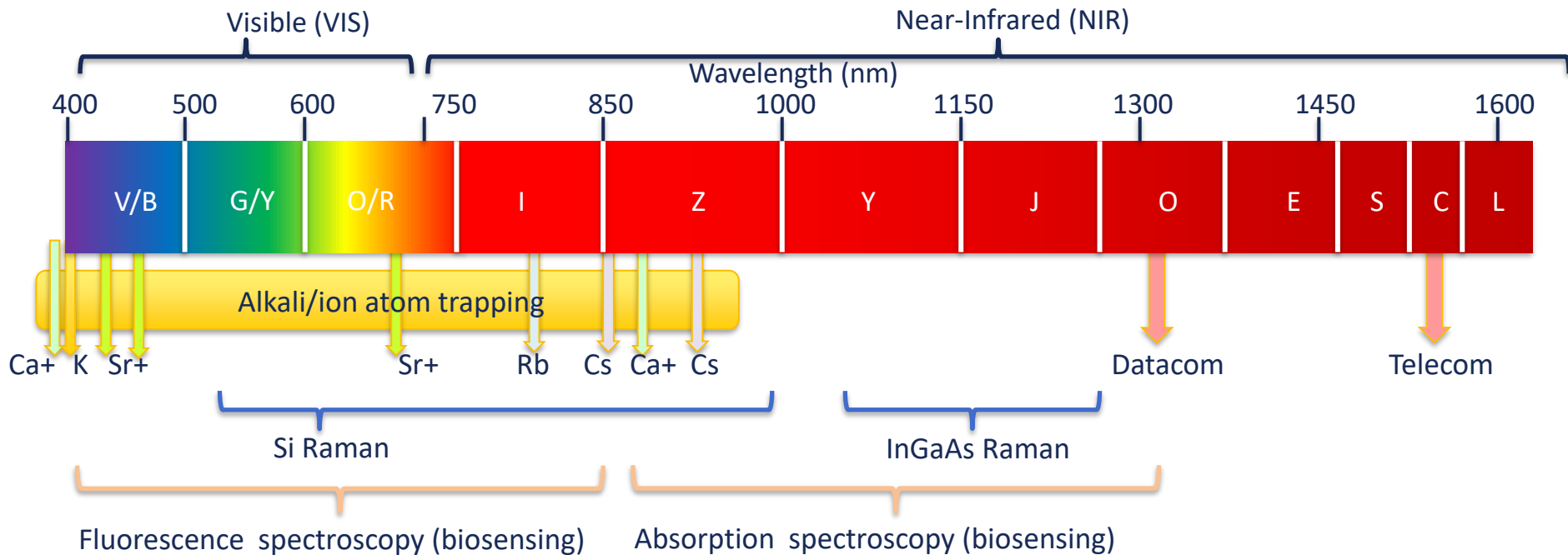
Cladding index

- refractive index ($n_{\text{clad-real}}$) vs. λ
- absorption ($\alpha_{\text{clad}} = 4\pi n_{\text{clad-imag}}/\lambda$) vs. λ

Assumptions:

Core is rectangular, cladding is uniform ...

Moving silicon integrated photonics to the visible

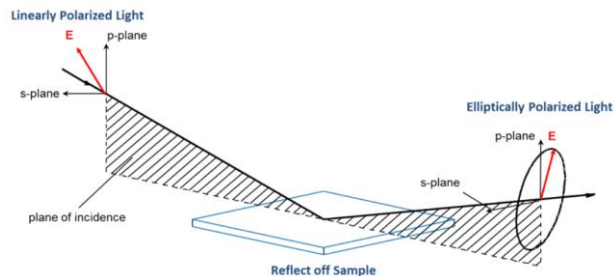


- Silicon nitride (SiN) is most mature material for integrated photonics for whole 400 nm → 1600 nm
- Short wavelengths are most sensitive to scattering and absorption losses
- Short wavelengths are most sensitive to core geometry (width and thickness)

Current waveguide characterization methods

Refractive index and loss

Ellipsometry



(image courtesy Woollam)

Prism-coupling

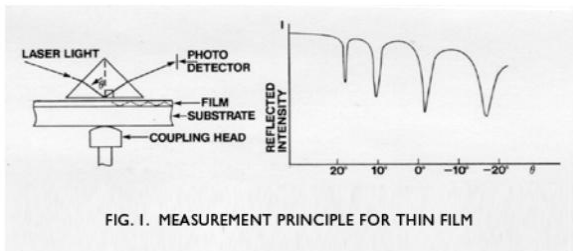


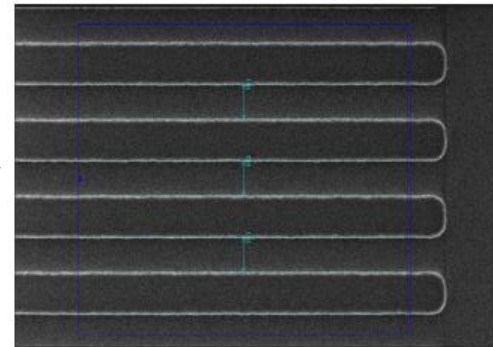
FIG. 1. MEASUREMENT PRINCIPLE FOR THIN FILM

(image courtesy Metricon)

Core size and shape

SEM/TEM

(image courtesy
AIM Photonics)

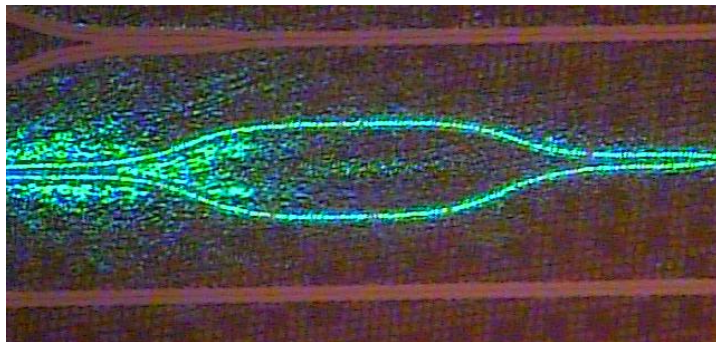


- Ellipsometry and prism coupling require pre-processed thin films or short-loops (may not capture full process)
- Ellipsometry and prism coupling have limited sensitivity to loss ($\sim$ dB/cm)
- X-sectional SEM/TEM is destructive and time-consuming
- Top-down SEM requires direct access to waveguide core (no top cladding /other waveguides?)

Can the characterization be done with high-accuracy and “in-situ”? (ie with full-flow waveguides?)

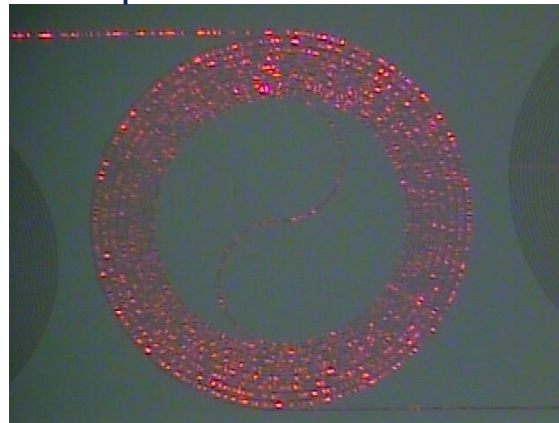
Broadband waveguide characterization: PIC test structures

Mach-Zehnder Interferometers



$\text{real}(n_{\text{eff}})$

Spirals for “cutback”



$\text{imag}(n_{\text{eff}})$

$t, \Delta w, n_{\text{core-real}}, n_{\text{clad-real}}, \alpha_{\text{core}}, \alpha_{\text{clad}}, \sigma^2, L_c$

(and a temperature-controlled sample holder $\rightarrow dn/dT$)

Broadband waveguide characterization: Test equipment

Sources

Propagation loss and broadband component (MZI) characterization:

- 450 nm – 700 nm (LED source)
- 700 nm – 1625 nm (blackbody source)

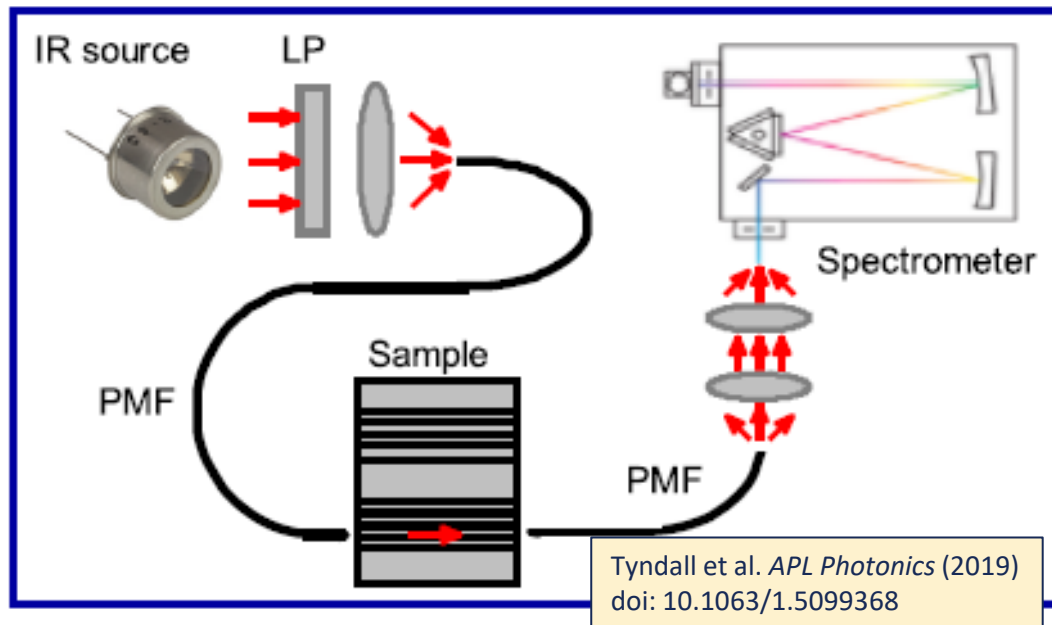
Raman scattering and fluorescence:

- 785 nm laser

Detectors

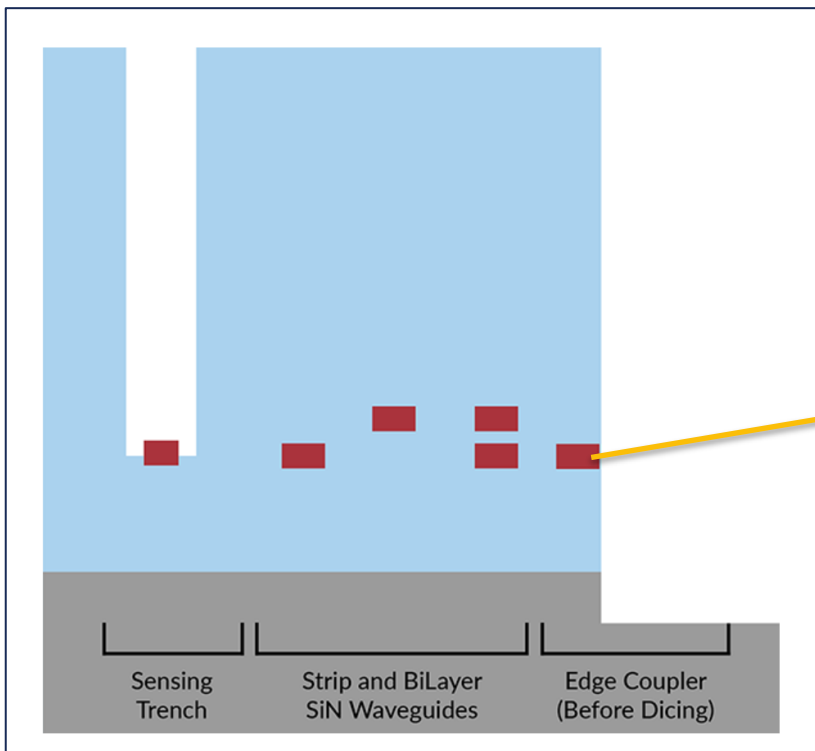
- Silicon spectrometer for 390 – 1025 nm Si (Wasatch / PI)
- InGaAs spectrometer for 900 nm – 1700 nm (Wasatch / PI)

White-light PIC spectroscopy



We are working with AIM Photonics to implement this in-line at wafer scale

AIM SiN-Only Platform



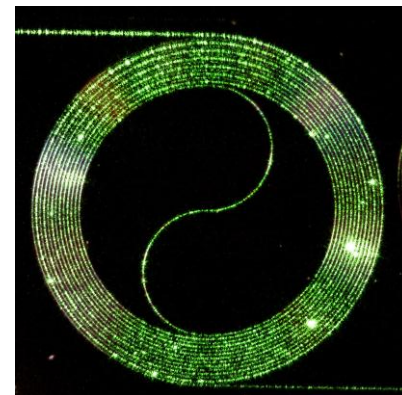
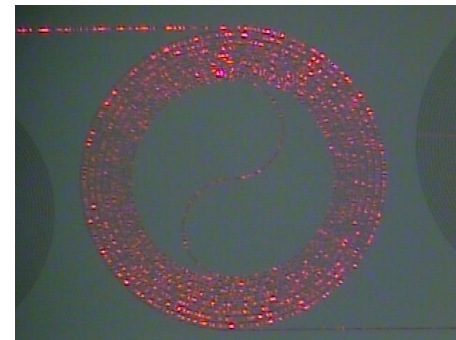
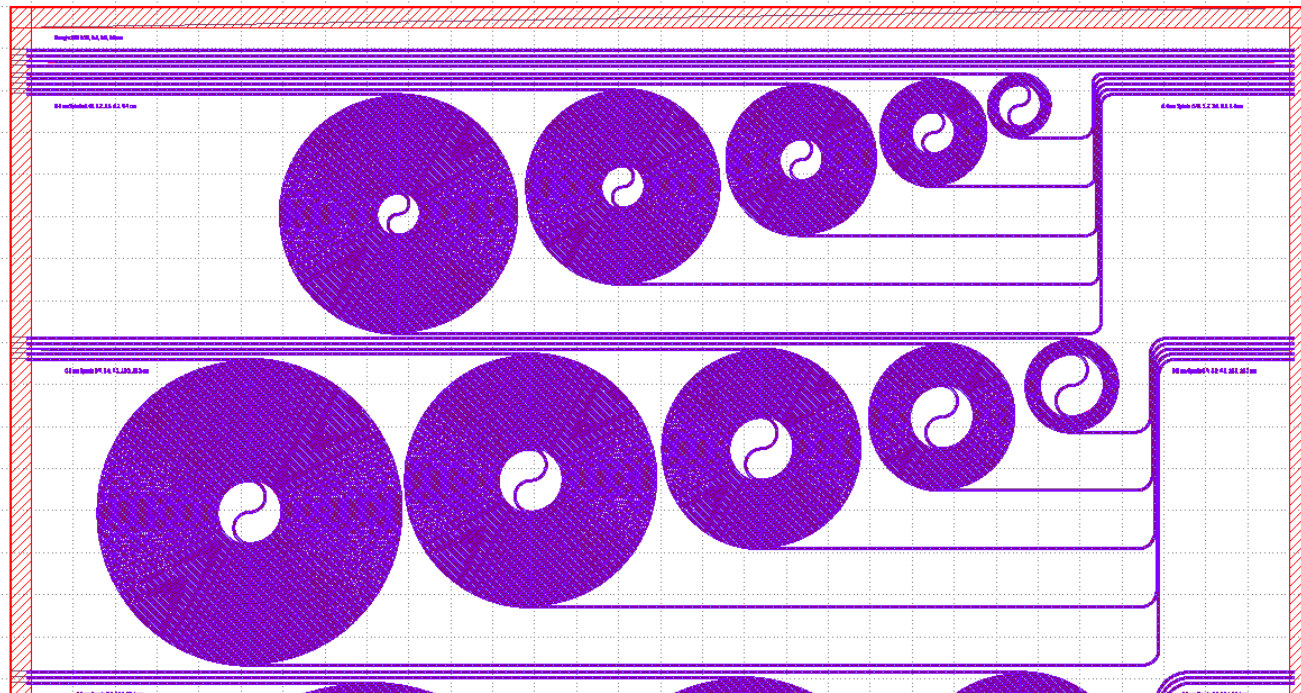
We focus on **SiN waveguides**:
220 nm thick (for NIR)
150 nm thick (for VIS)

(but our methods can be used for
any passive waveguide material)

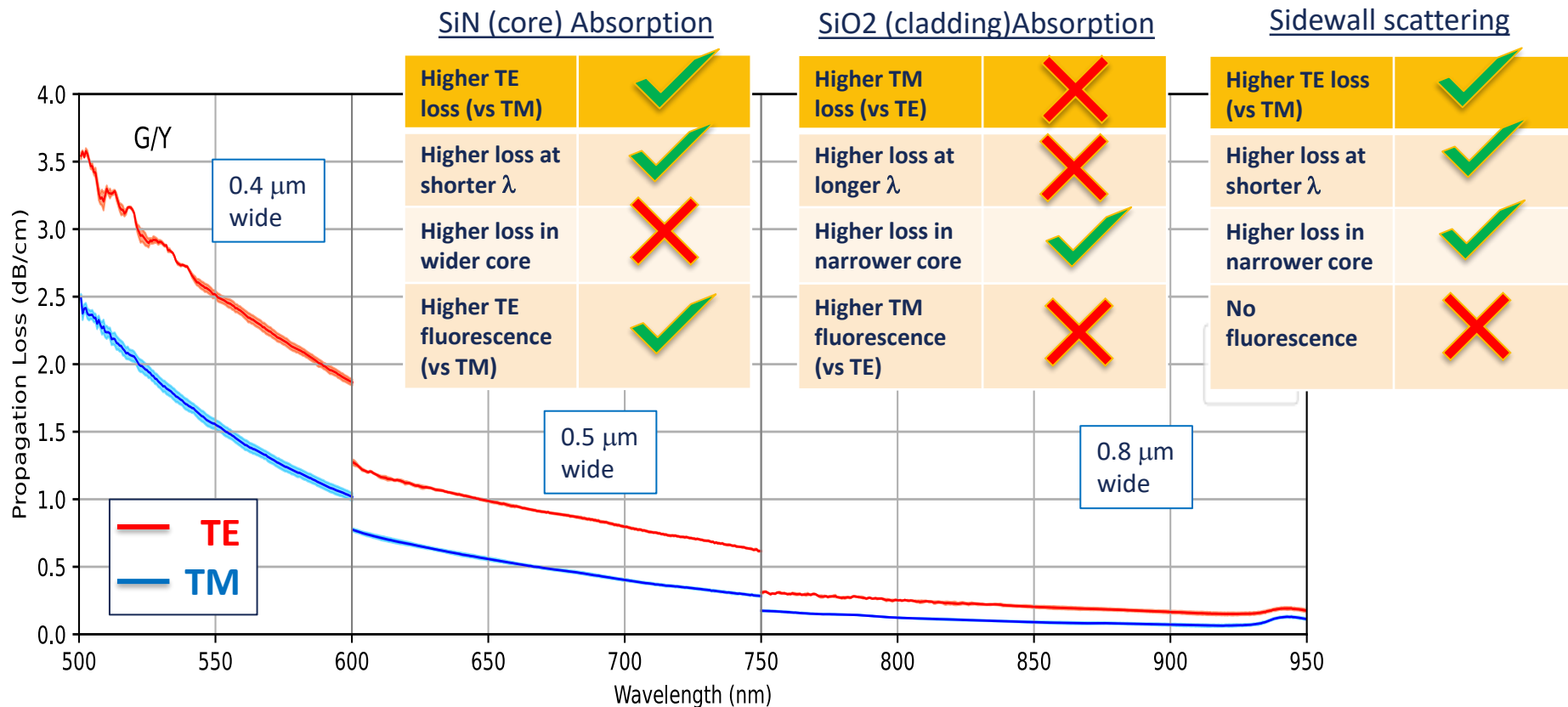
WAVEGUIDE PROPAGATION LOSS

Waveguide propagation loss: spirals for “cutback”

- Use sets of spirals (“cutback”) with automated fitting to obtain loss spectrum

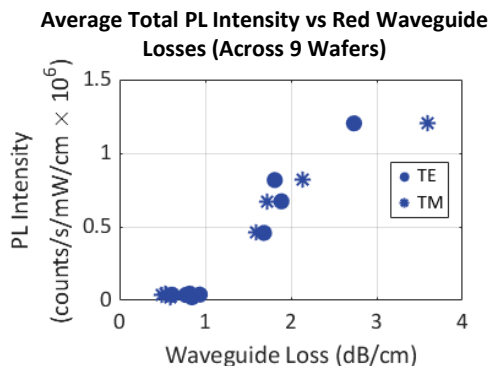
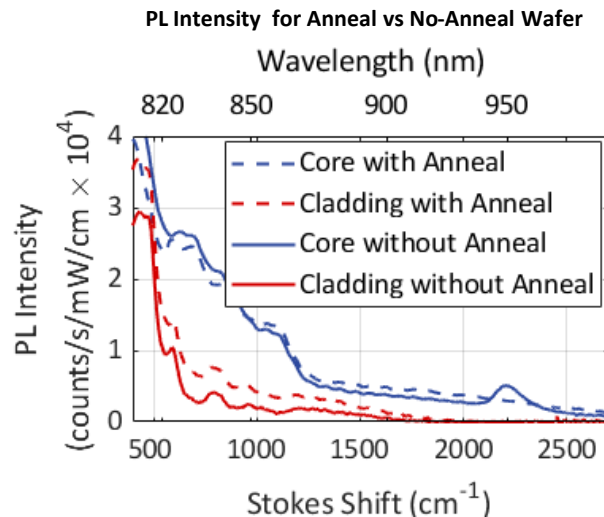
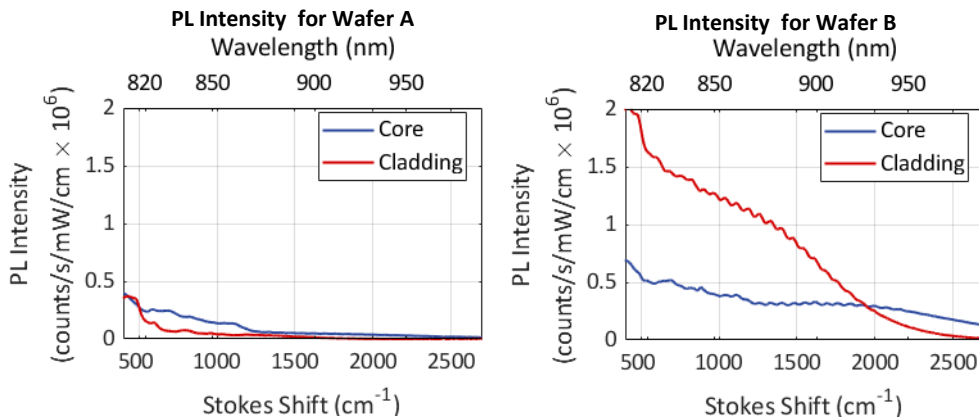


Waveguide loss



Photoluminescence and Loss (MIT Notaros Group)

Measured TE and TM emission, can be rearranged to give core and cladding contributions

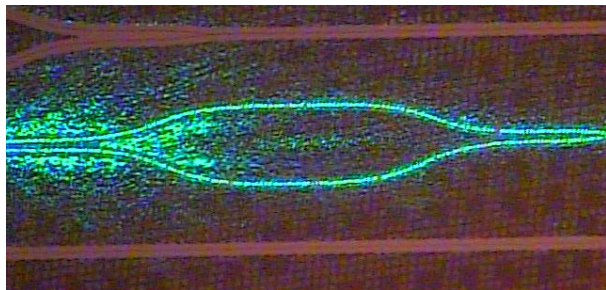


- Annealing reduces hydrogen-related defects in the core, can be detected at any wavelength (not just 1520 nm)
- Strong correlation between waveguide loss and PL
- PL shows source of loss (core vs. cladding)

[Garcia Coletto, et al., Opt. Exp. (2026) doi: 10.1364/OE.575183]

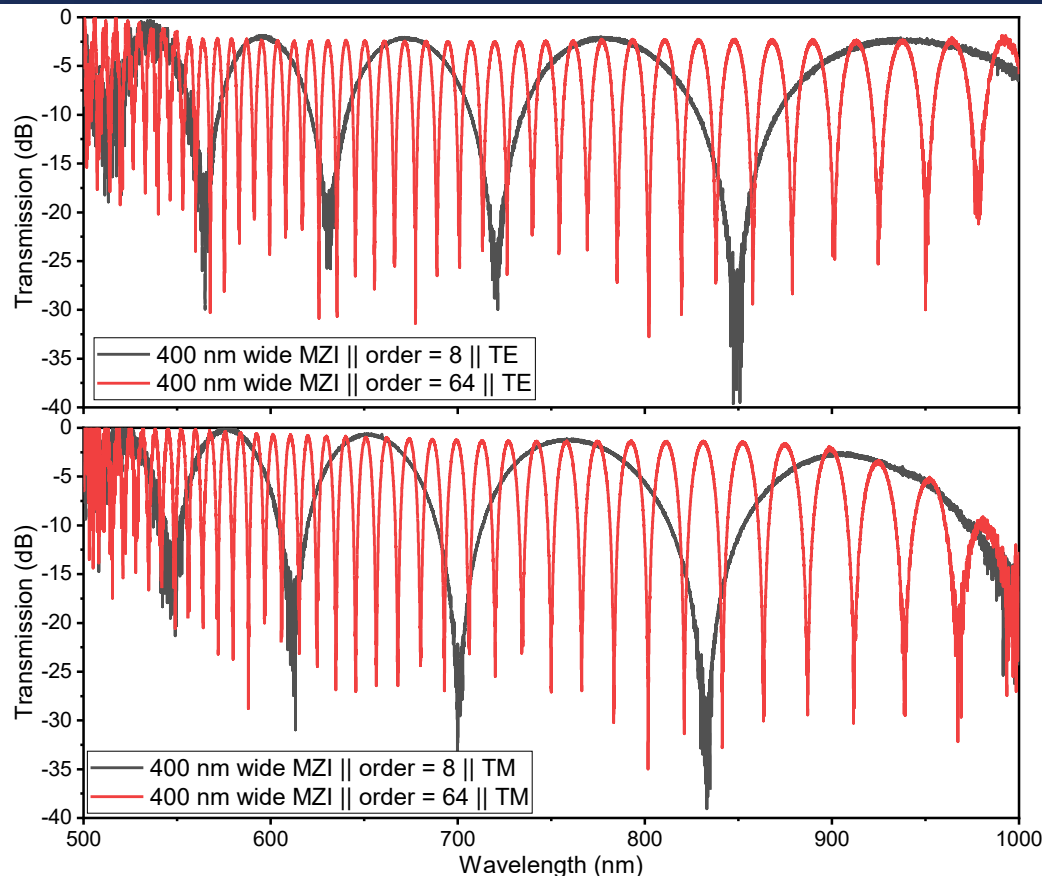
REFRACTIVE INDEX AND GEOMETRY: GAUSS-NEWTON METHOD

MZIs for n_{eff} measurement in the visible



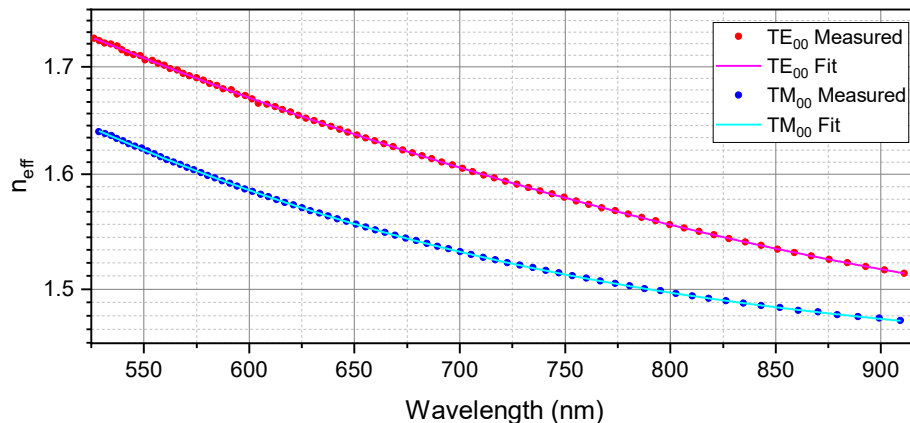
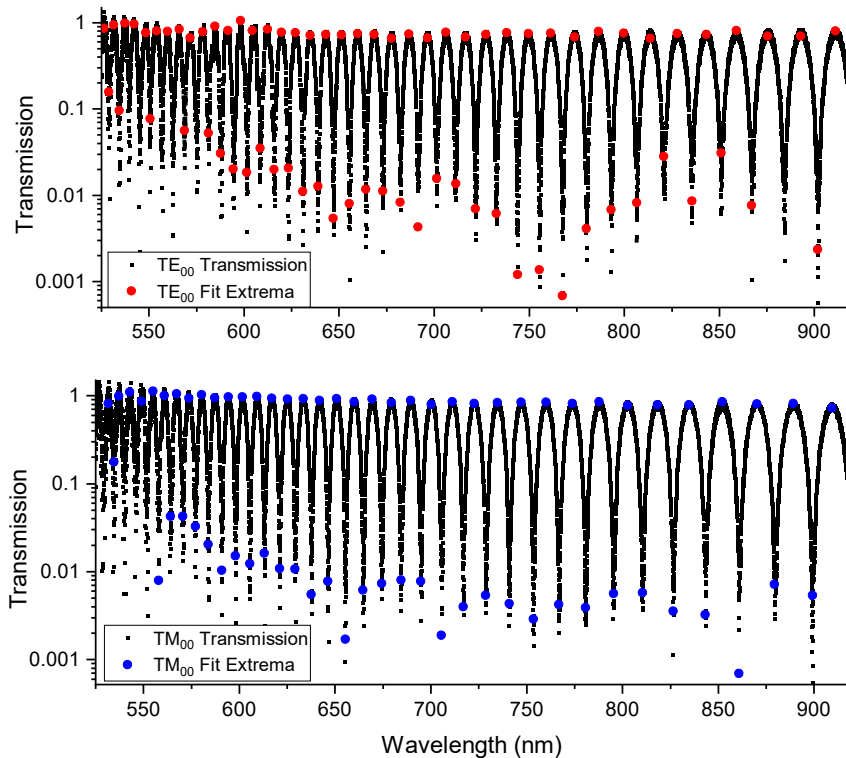
White-light spectroscopy

- Measurements span from 500 nm to 1000 nm in first measurement
- Measurements span from 900 nm to 1600 nm in second measurement



MZIs for n_{eff} measurement in the visible

500 nm wide waveguides



Measure similar spectra for

- 400 nm wide
- 800 nm wide

Refractive index and geometry

- Measure TE_{00} and TM_{00} n_{eff} of two different waveguide widths (at the same wavelength)
- Four known $n_{\text{eff}s}$, four unknown waveguide parameters: t , Δw , $n_{\text{core-real}}$, $n_{\text{clad-real}}$

- Measured values in brown
- COMSOL values in blue
- Extracted parameters in red

Gauss-Newton method to solve this least-squares problem

measured initial guesses parameter dependencies to be solved for

$$n_{\text{eff}}^{TEw_1} = n_{\text{eff}(0)}^{TEw_1} + \frac{\partial n_{\text{eff}}^{TEw_1}}{\partial n_{\text{core}}} \Delta n_{\text{core}} + \frac{\partial n_{\text{eff}}^{TEw_1}}{\partial n_{\text{clad}}} \Delta n_{\text{clad}} + \frac{\partial n_{\text{eff}}^{TEw_1}}{\partial t} \Delta t + \frac{\partial n_{\text{eff}}^{TEw_1}}{\partial w} \Delta w$$

$$n_{\text{eff}}^{TMw_1} = n_{\text{eff}(0)}^{TMw_1} + \frac{\partial n_{\text{eff}}^{TMw_1}}{\partial n_{\text{core}}} \Delta n_{\text{core}} + \frac{\partial n_{\text{eff}}^{TMw_1}}{\partial n_{\text{clad}}} \Delta n_{\text{clad}} + \frac{\partial n_{\text{eff}}^{TMw_1}}{\partial t} \Delta t + \frac{\partial n_{\text{eff}}^{TMw_1}}{\partial w} \Delta w$$

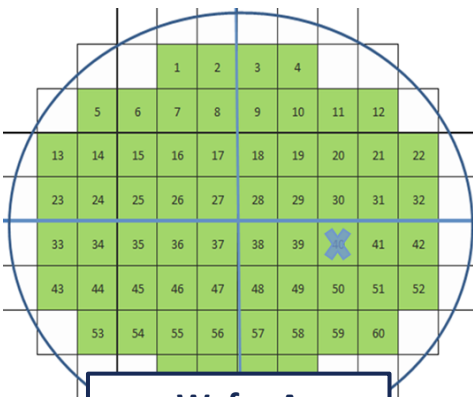
$$n_{\text{eff}}^{TEw_2} = n_{\text{eff}(0)}^{TEw_2} + \frac{\partial n_{\text{eff}}^{TEw_2}}{\partial n_{\text{core}}} \Delta n_{\text{core}} + \frac{\partial n_{\text{eff}}^{TEw_2}}{\partial n_{\text{clad}}} \Delta n_{\text{clad}} + \frac{\partial n_{\text{eff}}^{TEw_2}}{\partial t} \Delta t + \frac{\partial n_{\text{eff}}^{TEw_2}}{\partial w} \Delta w$$

$$n_{\text{eff}}^{TMw_2} = n_{\text{eff}(0)}^{TMw_2} + \frac{\partial n_{\text{eff}}^{TMw_2}}{\partial n_{\text{core}}} \Delta n_{\text{core}} + \frac{\partial n_{\text{eff}}^{TMw_2}}{\partial n_{\text{clad}}} \Delta n_{\text{clad}} + \frac{\partial n_{\text{eff}}^{TMw_2}}{\partial t} \Delta t + \frac{\partial n_{\text{eff}}^{TMw_2}}{\partial w} \Delta w$$

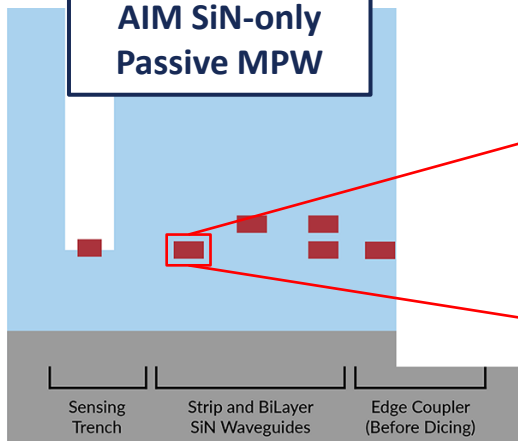
Butt, et al., APL Photon. 9, 106104 (2024), doi 10.1063/5.0173914

Stievater et al., Opt. Express 30, 14453 (2022), doi: 10.1364/OE.451719

Wafer A: an example

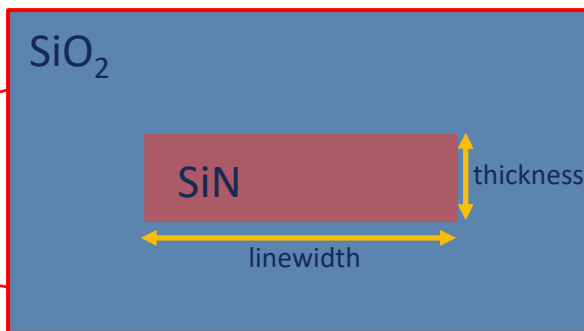


Wafer A
AIM SiN-only
Passive MPW



As a baseline, we extracted the waveguide parameters from the AIM
SiN-only Passive MPW

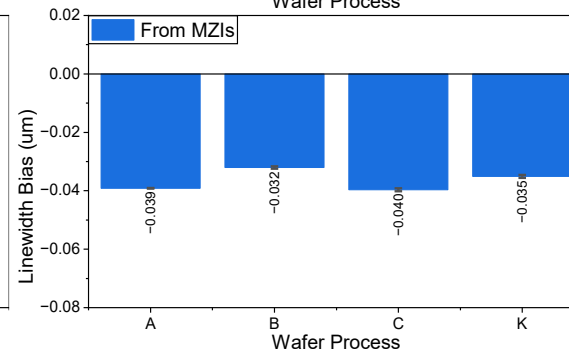
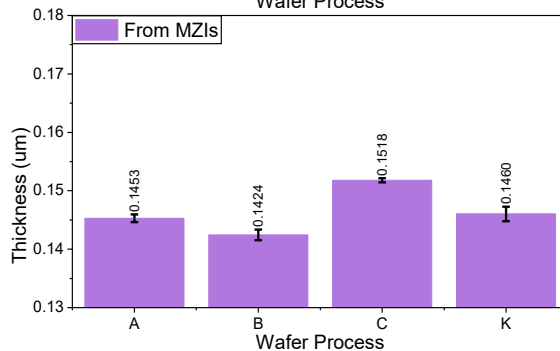
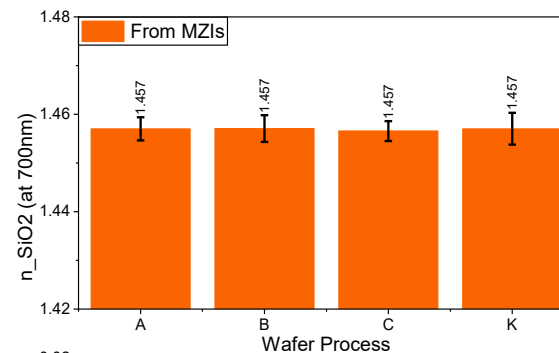
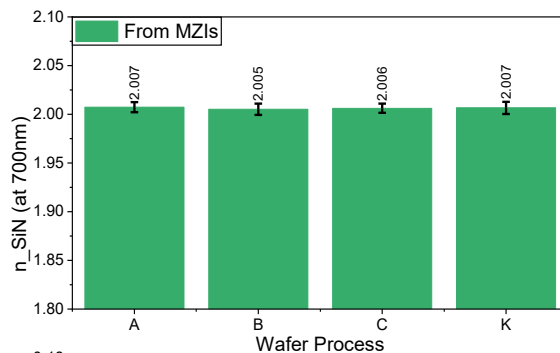
- Nominal SiN thickness of 150nm (bite-size custom offering)
- As shown below, we can extract the waveguide parameters with excellent precision



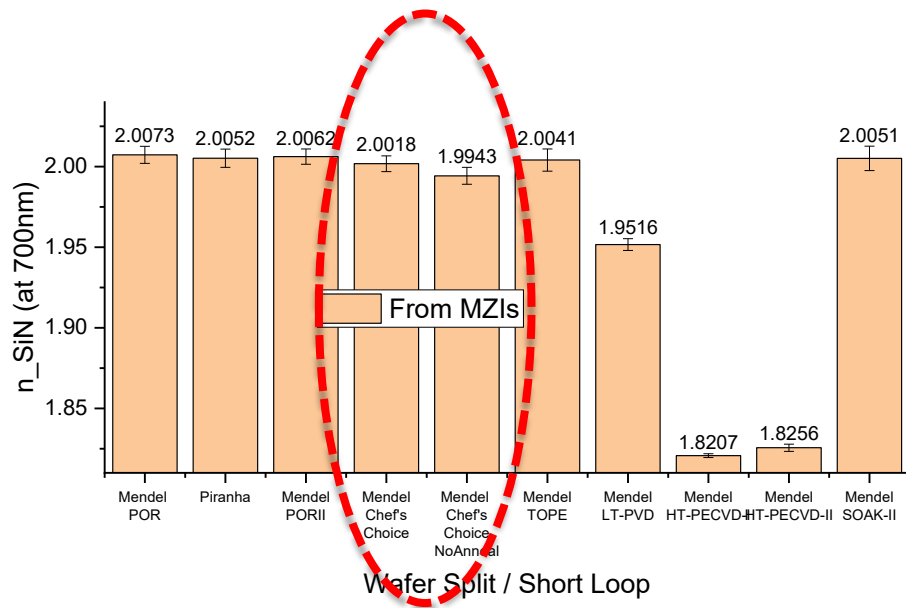
$n_{\text{SiN}} @ 700\text{nm}$	$n_{\text{SiO}_2} @ 700\text{nm}$
2.007 ± 0.005	1.457 ± 0.002
Linewidth bias (nm)	Thickness (nm)
-39.1 ± 0.1	145.3 ± 0.6

Wafer-to-wafer variation for one process - POR

$n_{\text{SiN}} @ 700\text{nm}$	$n_{\text{SiO}_2} @ 700\text{nm}$	Linewidth bias (nm)	Thickness (nm)
2.006 ± 0.001	1.4569 ± 0.0002	-36 ± 4	146 ± 4

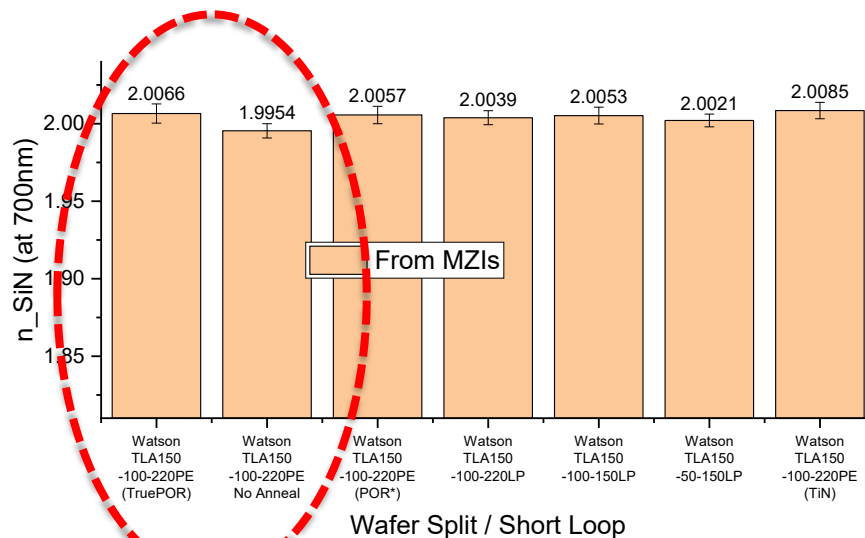


SiN densification from anneal?

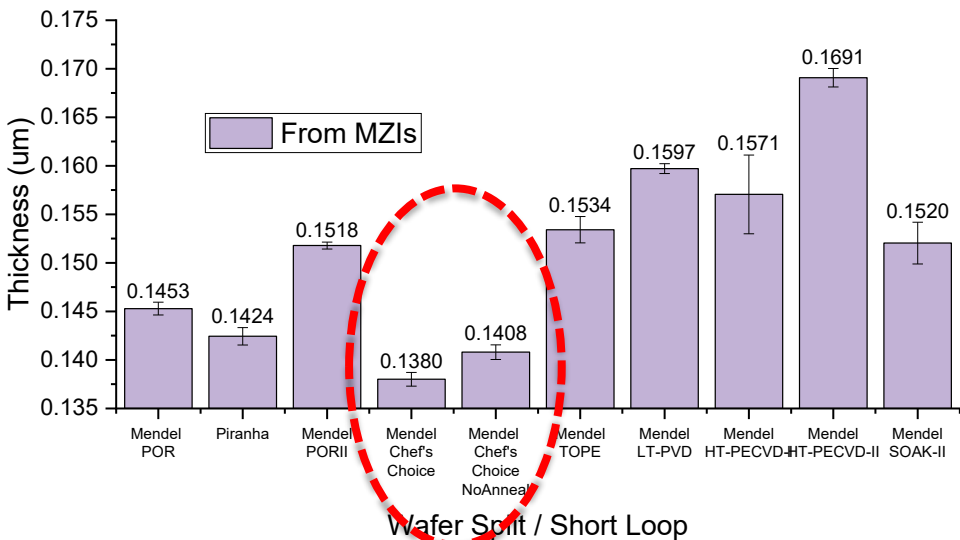


n_{SiN} increases from 1.9954 to 2.0066 due to anneal in Watson (0.56%)

n_{SiN} increases from 1.9943 to 2.0018 due to anneal in Mendel Chef's Choice (0.38%)

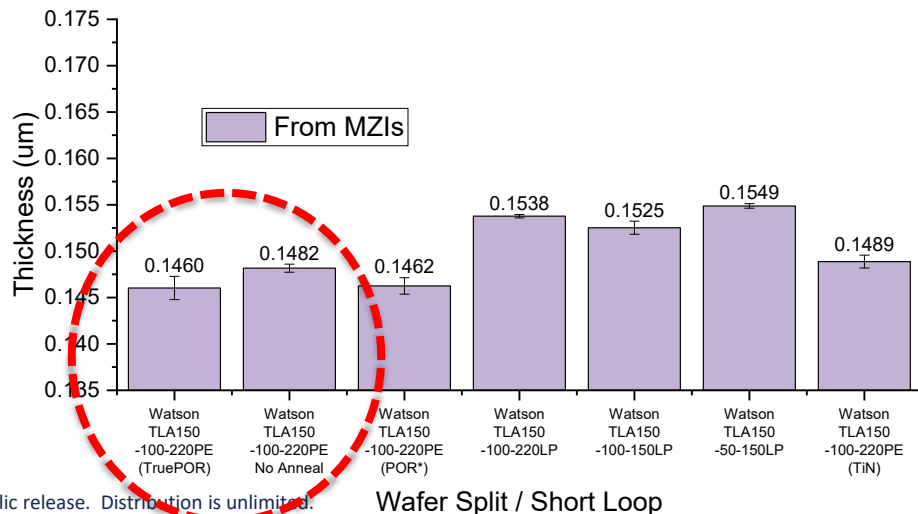


SiN densification from anneal?



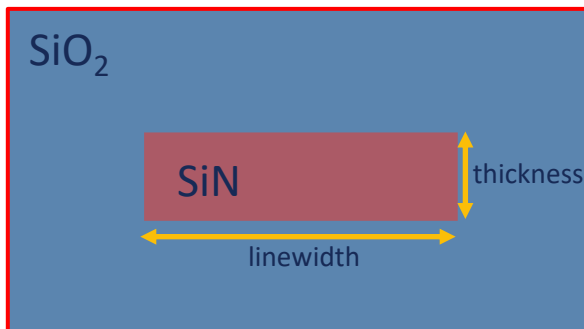
Thickness decreases from 148.2 nm to 146.0 nm due to anneal in Watson POR (1.5%)

Thickness decreases from 140.8 nm to 138.0 nm due to anneal in Mendel Chef's Choice (2.0%)

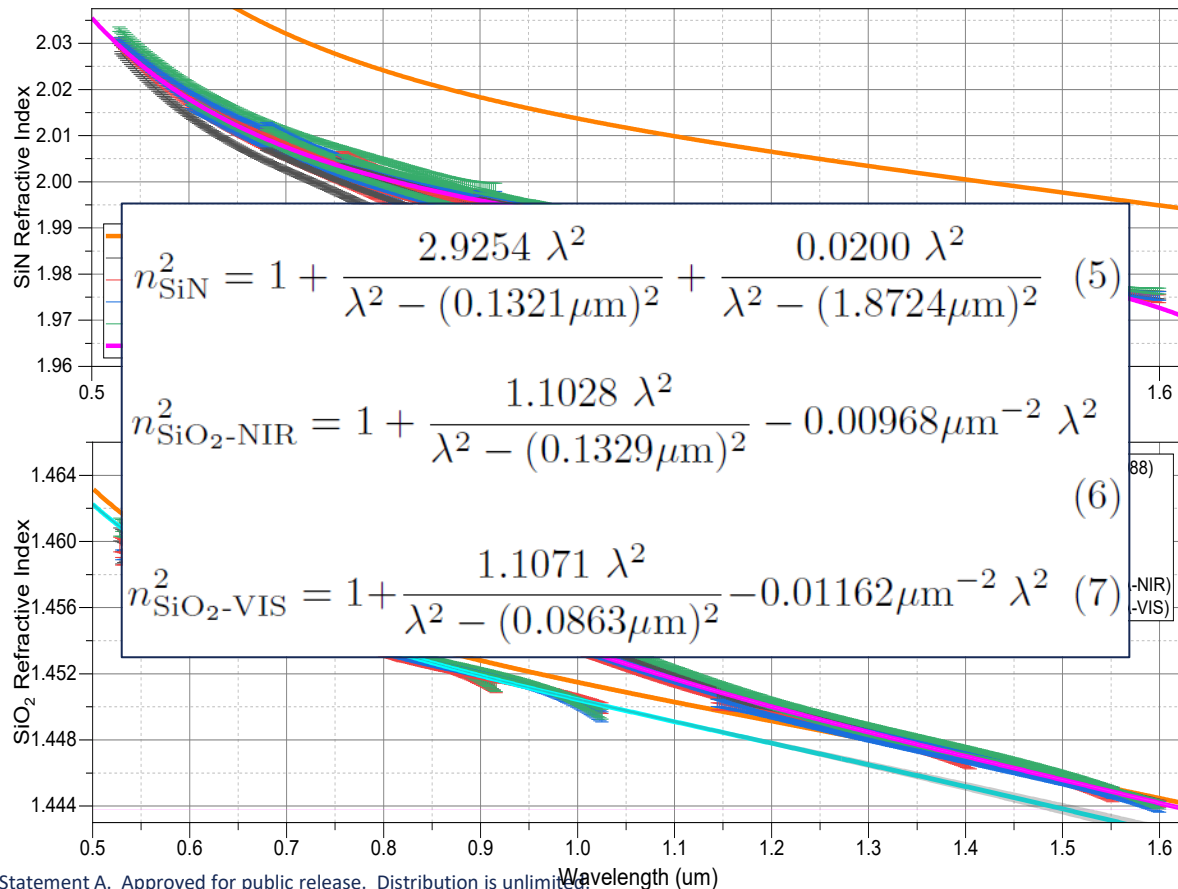


LPCVD SiN refractive index from 500 nm to 1600 nm

Fix core geometry, solve for
 n_{SiN} , n_{SiO_2} at every wavelength



n_{SiN} @1550nm	n_{SiO_2} @1550nm
1.976 ± 0.003	1.4453 ± 0.0004
n_{SiN} @700nm	n_{SiO_2} @700nm
2.007 ± 0.005	1.457 ± 0.002
Linewidth bias (nm)	Thickness (nm)
-39.1 ± 0.1	145.3 ± 0.6



REFRACTIVE INDEX AND GEOMETRY: LEVENBERG-MARQUARDT METHOD

Gauss-Newton → Levenberg-Marquardt

Old Gauss-Newton

- Assumes waveguide bias is independent of linewidth
- Assumes fixed core shape
- Assume same cladding material for top cladding and bottom cladding
- Only extracts parameters at a single wavelength at a time
- Cumbersome to perform multiple iterations, and/or at multiple wavelengths

New Levenberg-Marquardt Method

- Builds mode-solver directly into each iteration
- Can process all data at all wavelengths simultaneously
- Can accommodate any refractive index model for core and cladding
- Can have independent width bias for different waveguide widths
- Can have different refractive index for top cladding vs. bottom cladding
- Can add other parameters as needed: sidewall angle, stress, etc.

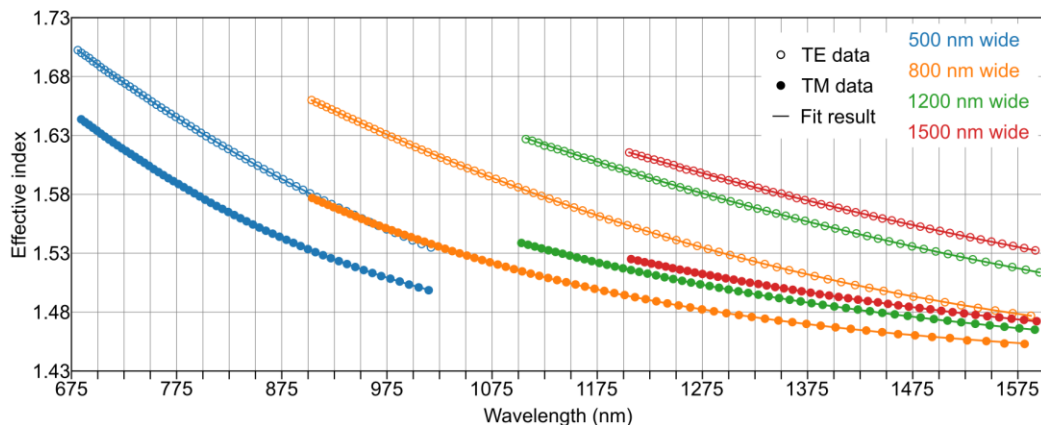
Procedure and Parameters of Interest

Parameters of interest:

- Waveguide Δw (varies with design width)
- Waveguide Δt (common across design width)
- Core Sellmeier coefficients
- Cladding Sellmeier coefficients

Function to minimize:

$$F = \sum_i (n_{eff, sim_i} - n_{eff, meas_i})^2$$



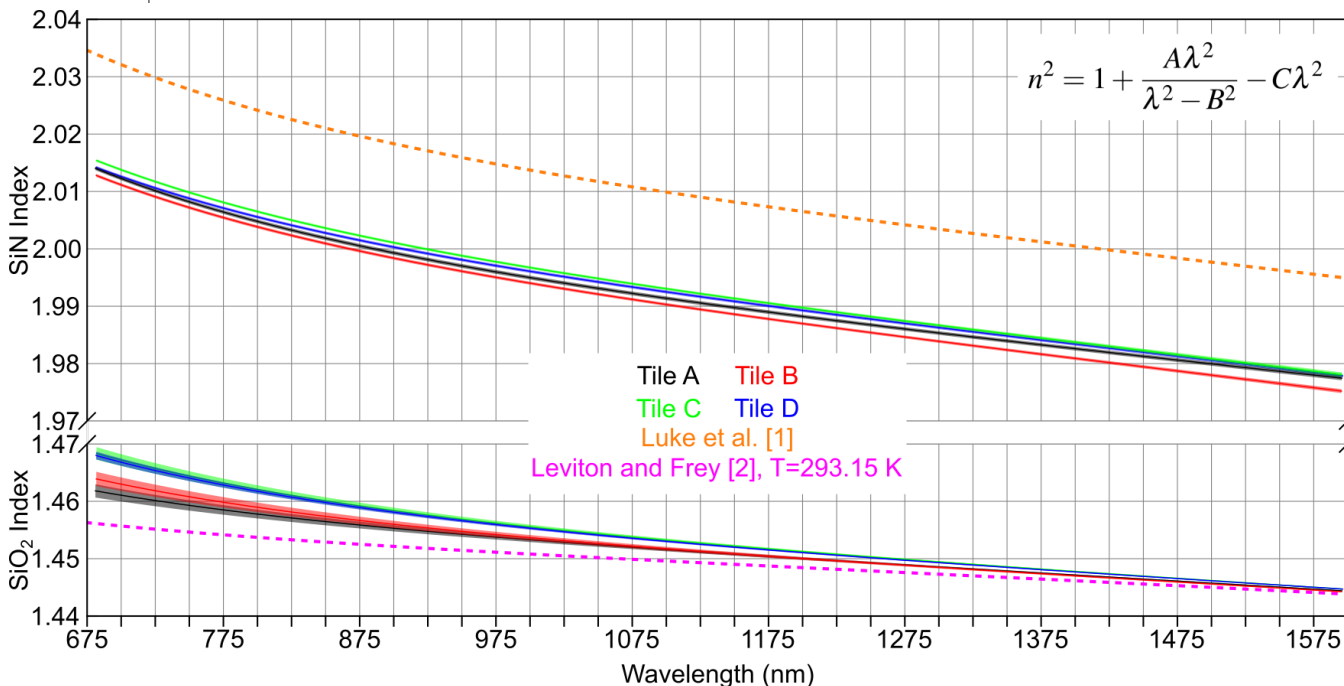
Procedure:

1. Using initial parameter guesses, we simulate the effective index at every wavelength where we have a data point.
2. The Jacobian matrix is calculated at each point using simulated fields and a perturbative approach.
3. Parameter values are updated via Levenberg-Marquardt algorithm
4. Return to step 1.

Result after 13 iterations (~7.3 hours)
(newer code is ~4x faster, ~ 2 hours)

Extraction Results (220 nm thick SiN) (4 tile locations)

	dW_{500} (nm)	dW_{800} (nm)	dW_{1200} (nm)	dW_{1500} (nm)	dT (nm)	A_{SiN}	B_{SiN} (μm)	C_{SiN} (μm^{-2})	A_{SiO_2}	B_{SiO_2} (μm)	C_{SiO_2} (μm^{-2})
Initial Guess	0	0	0	0	0	2.9254	0.1321	0.0057	1.1028	0.1329	0.0097
Tile A	-64.7 ± 0.3	-58.8 ± 1.7	-58.9 ± 5.0	-73.3 ± 8.4	-3.0 ± 0.5	2.9514 ± 0.0027	0.1325 ± 0.0009	0.0242 ± 0.0011	1.1062 ± 0.0009	0.1201 ± 0.0068	0.0103 ± 0.0002
Tile B	-55.4 ± 0.3	-47.4 ± 1.6	-35.6 ± 5.1	-36.9 ± 8.7	-4.1 ± 0.5	2.9543 ± 0.0022	0.1293 ± 0.0008	0.0284 ± 0.0010	1.1020 ± 0.0008	0.1356 ± 0.0062	0.0095 ± 0.0002
Tile C	-55.3 ± 0.3	-47.3 ± 1.8	-30.4 ± 5.1	-35.3 ± 8.6	-6.4 ± 0.4	2.9649 ± 0.0021	0.1290 ± 0.0009	0.0281 ± 0.0011	1.1019 ± 0.0009	0.1533 ± 0.0049	0.0098 ± 0.0002
Tile D	-55.9 ± 0.2	-49.9 ± 1.1	-36.0 ± 2.8	-43.1 ± 4.9	-5.0 ± 0.3	2.9639 ± 0.0018	0.1268 ± 0.0007	0.0028 ± 0.0007	1.1009 ± 0.0006	0.1530 ± 0.0029	0.0094 ± 0.0002



Geometry Means

$$dW_{500} \text{ (nm)} = -57.8 \pm 0.1$$

$$dW_{800} \text{ (nm)} = -50.9 \pm 0.8$$

$$dW_{1200} \text{ (nm)} = -40.2 \pm 2.3$$

$$dW_{1500} \text{ (nm)} = -47.2 \pm 3.9$$

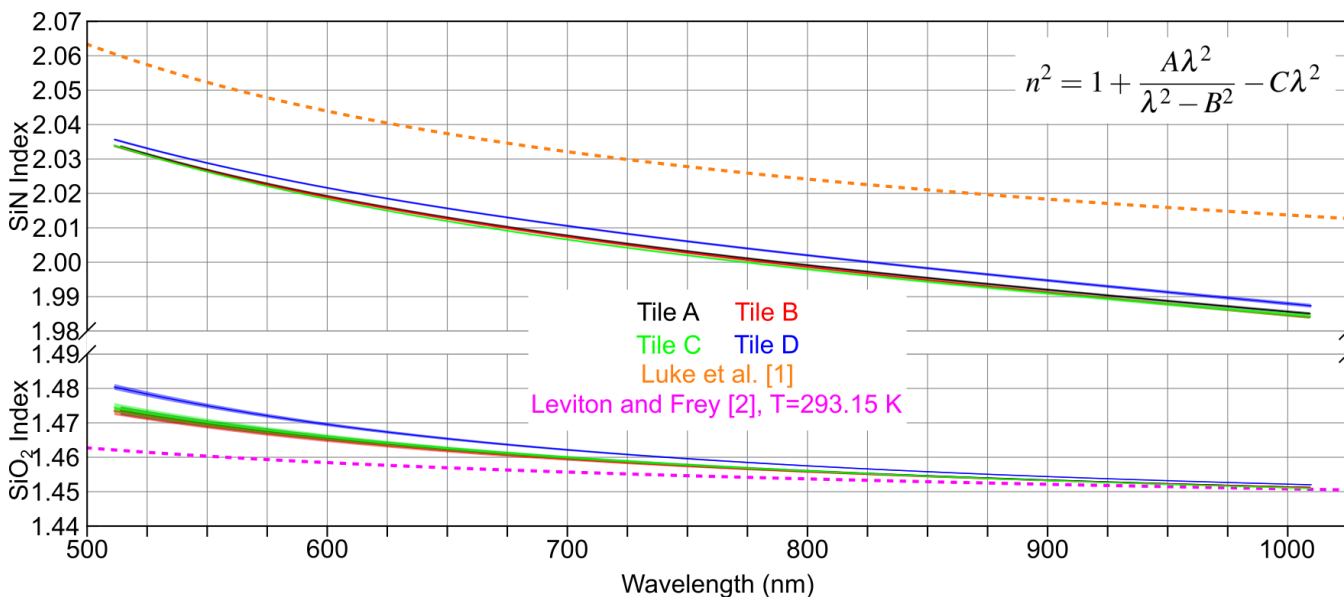
$$dT \text{ (nm)} = -4.6 \pm 0.2$$

[1]: Luke, et al., Optics Letters (2015),
DOI: 10.1364/OL.40.004823

[2]: Leviton and Frey, SPIE Optomechanical Technologies for
Astronomy (2006), DOI: 10.1117/12.672853

Extraction Results (150 nm Thick) (4 tile locations)

	dW_{400} (nm)	dW_{500} (nm)	dW_{800} (nm)	dT (nm)	A_{SiN}	B_{SiN} (μm)	C_{SiN} (μm^{-2})	A_{SiO_2}	B_{SiO_2} (μm)	C_{SiO_2} (μm^{-2})
Initial Guess	-25	-25	-25	-5	2.9254	0.1321	0.0057	1.1028	0.1329	0.0097
Tile A	-39.3 ± 0.5	-23.9 ± 1.2	$+8.8 \pm 5.0$	-8.5 ± 0.5	2.9711 ± 0.0050	0.1242 ± 0.0014	0.0750 ± 0.0047	1.0905 ± 0.0020	0.1359 ± 0.0040	0.0045 ± 0.0013
Tile B	-35.6 ± 0.5	-20.9 ± 1.2	$+13.1 \pm 4.9$	-8.5 ± 0.4	2.9744 ± 0.0045	0.1232 ± 0.0013	0.0816 ± 0.0042	1.0878 ± 0.0018	0.1367 ± 0.0036	0.0020 ± 0.0012
Tile C	-33.0 ± 0.6	-16.2 ± 1.6	$+21.1 \pm 6.1$	-8.6 ± 0.4	2.9564 ± 0.0049	0.1280 ± 0.0014	0.0661 ± 0.0054	1.0901 ± 0.0022	0.1376 ± 0.0043	0.0054 ± 0.0016
Tile D	-32.6 ± 0.6	-14.3 ± 1.2	$+26.0 \pm 4.4$	-10.5 ± 0.3	2.9967 ± 0.0044	0.1185 ± 0.0014	0.0873 ± 0.0046	1.0817 ± 0.0016	0.1553 ± 0.0023	-0.0004 ± 0.0013



Geometry Means

$$dW_{400} \text{ (nm)} = -35.1 \pm 0.3$$

$$dW_{500} \text{ (nm)} = -18.8 \pm 0.7$$

$$dW_{800} \text{ (nm)} = 17.3 \pm 2.3$$

$$dT \text{ (nm)} = -9.0 \pm 0.2$$

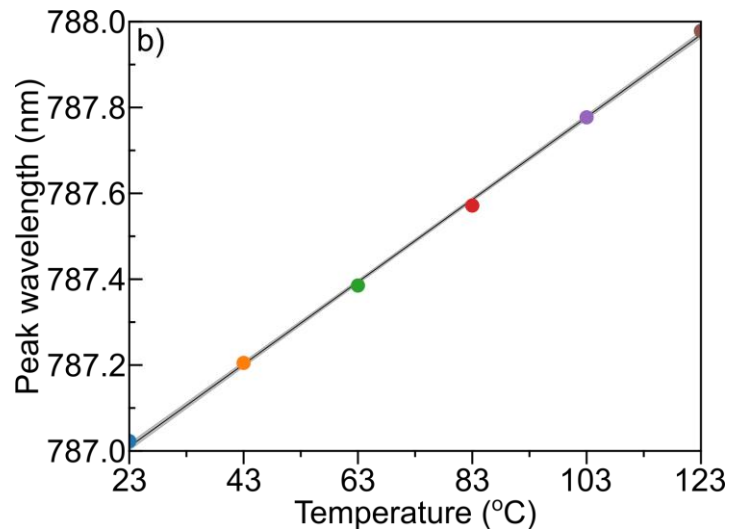
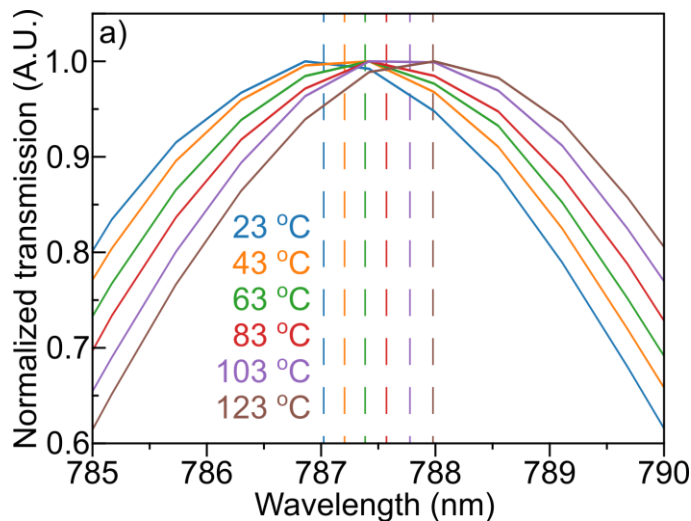
[1]: Luke, et al., Optics Letters (2015),
DOI: 10.1364/OL.40.004823

[2]: Leviton and Frey, SPIE Optomechanical Technologies for
Astronomy (2006), DOI: 10.1117/12.672853

SIN THERMO-OPTIC COEFFICIENT

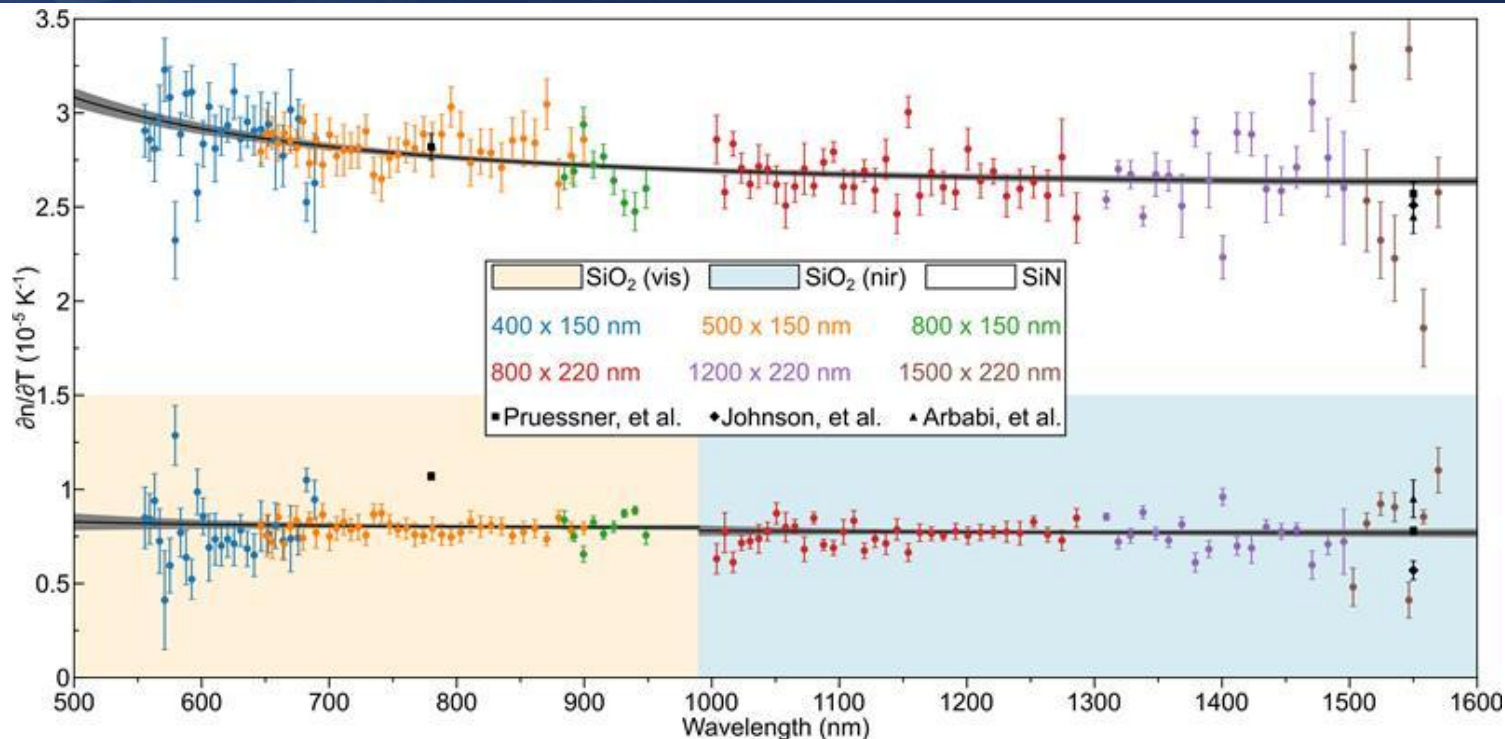
MZI measurements vs. temperature

- Use a heated sample chuck with broadband MZI measurements



- All MZI maxima and minima can be tracked with temperature
- Use modal overlaps to convert $dn_{\text{eff}}^{\text{TE}}$ and $dn_{\text{eff}}^{\text{TM}}/dT$ to dn_{core}/dT and dn_{clad}/dT

dn/dT for SiN and SiO₂ vs wavelength



- SiO₂ dn/dT agrees with previous measurements
- First measurement of SiN dn/dT in the visible

Summary

- Loss in AIM SiN waveguides measured accurately from 500 nm to 1620 nm
 - Loss is a combination of SiN absorption and sidewall scattering
 - Ongoing work to separate out their relative contributions
- SiN and SiO₂ refractive index and core width and thickness measured accurately from waveguide MZIs
 - Measured from 500 nm to 1600 nm
 - Important for accurate component design
 - Post-fabrication measurements capture all processing steps
 - Can be used for wafer-scale statistics and process monitoring
- SiN thermo-optic coefficient measured from 550 nm to 1600 nm
 - First measurement of SiN TO coefficient in the visible
 - TO coefficient at 550 nm 18% higher than value at 1550 nm
- These techniques can be used with any waveguide material (AlO, TiO₂, AlN, etc.)
- Current work is implementing fully automated Levenberg-Marquadt algorithm for integration with foundry test data

THANK YOU